

The physics and demography of supermassive black holes

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Outline

The role of supermassive black holes in galaxy evolution

- Ubiquity and importance of SMBHs
- Dormant and active SMBHs
- Feedback

How does a BH grow?

- Accretion and Active Galactic Nuclei
- The central engine

AGN demography

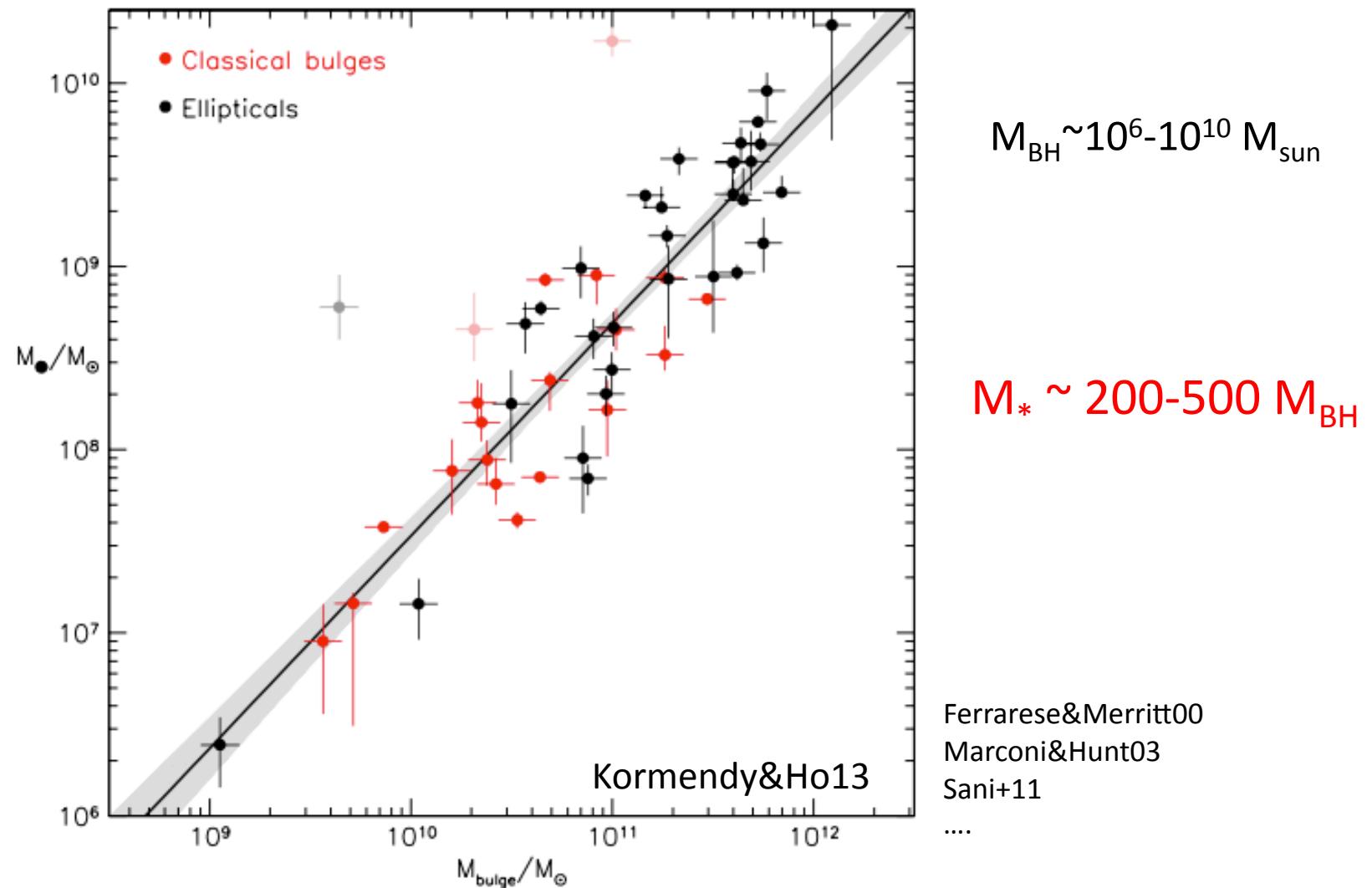
- Obscured and unobscured AGN, the unified model
- Cosmic evolution
- The X-ray background

The first black holes

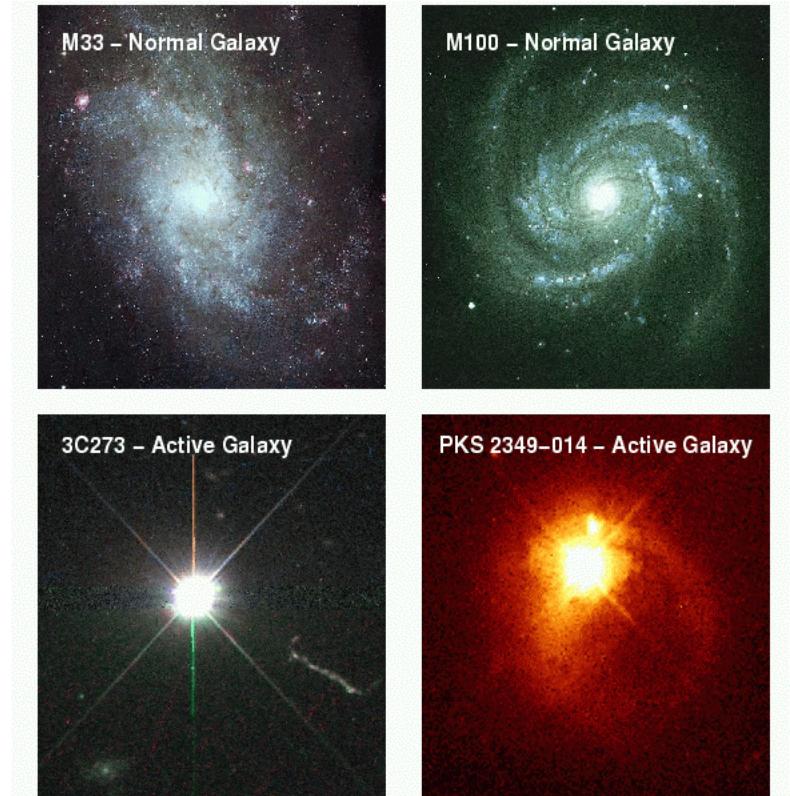
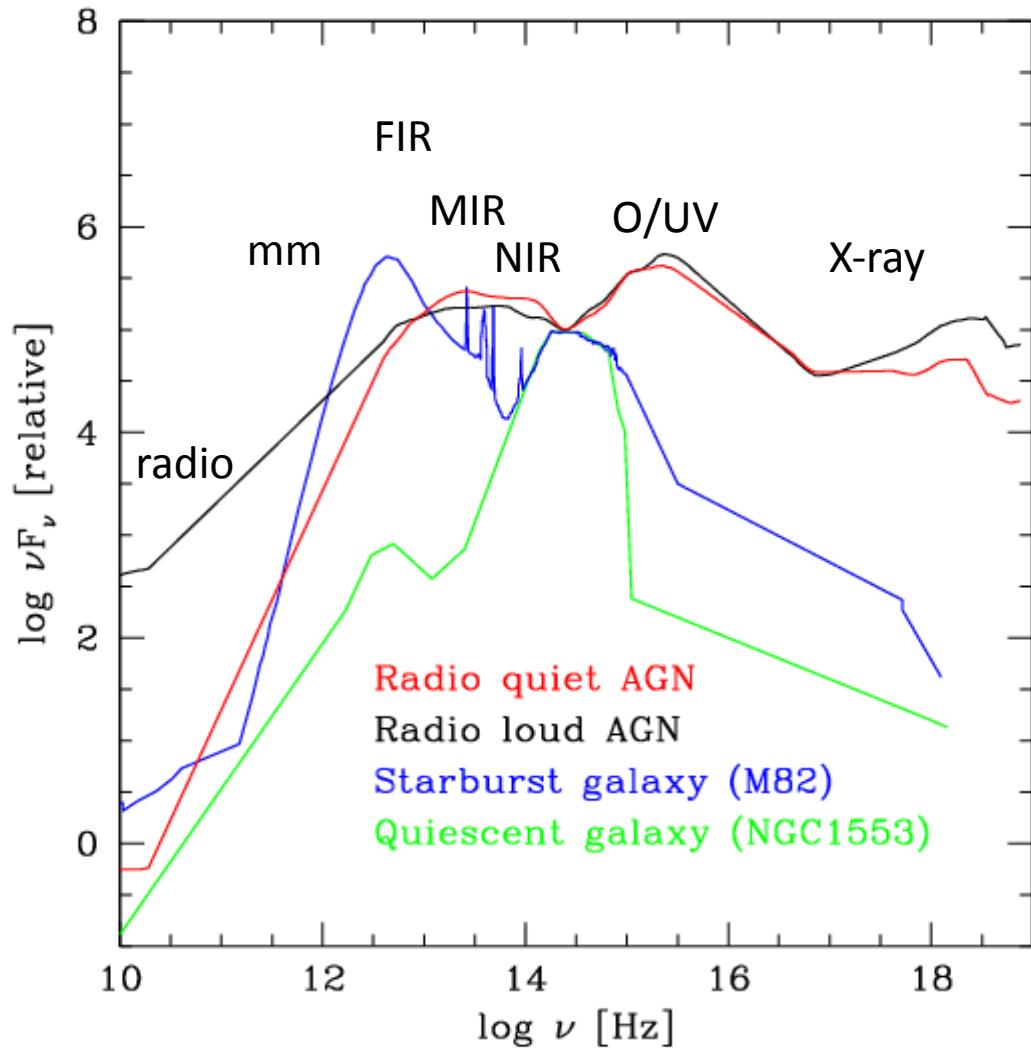
- Demography of high-z QSOs
- How do early BHs form?

Ubiquity and importance of SMBHs

Fundamental scaling relations observed in the local Universe between M_{BH} and structural properties of the host galaxy (e.g. bulge L, σ , M^*)



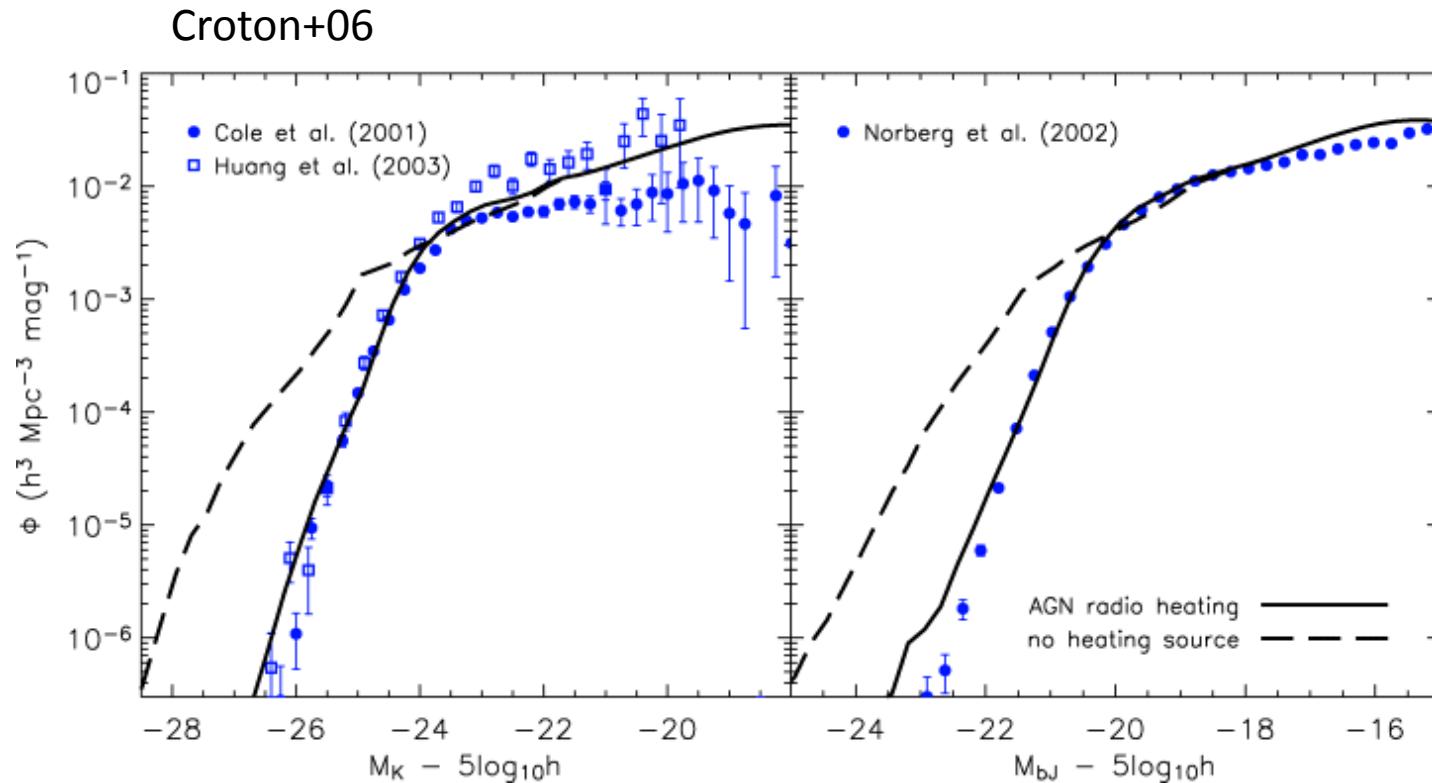
Dormant and active SMBHs (Active Galactic Nuclei, AGN)



about 1-10% of galaxies are AGN

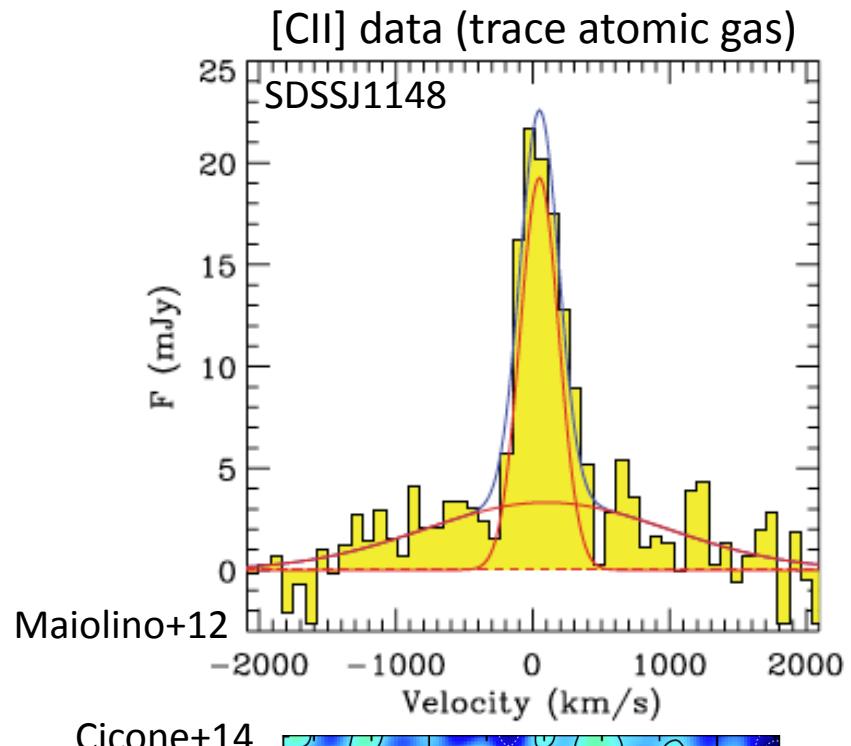
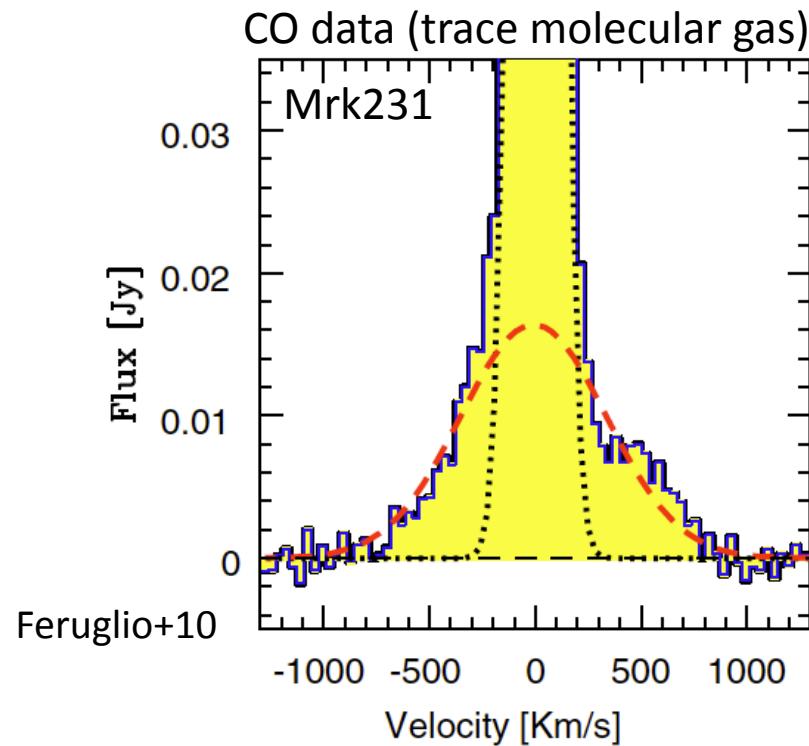
$$t_{\text{AGN}} \sim 10^{7-9} \text{ yr}$$

Importance of AGN for galaxy evolution



AGN feedback (radiative, kinetic) introduced [ad hoc](#) by semi-analytic models to expel or heat the gas, halt star formation and hence prevent the assembly of (too many) massive galaxies

Observational evidences of AGN feedback



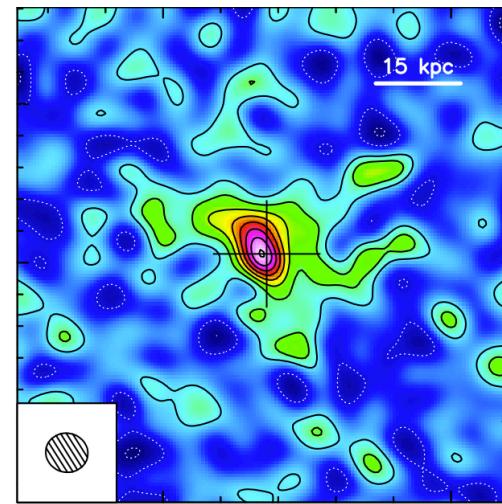
Molecular and atomic gas outflows

Outflow rates $\dot{m}_{\text{out}} > 10^{2-3} M_{\text{sun}}/\text{yr}$ ($\dot{m}_{\text{out}} > \text{SFR}$)

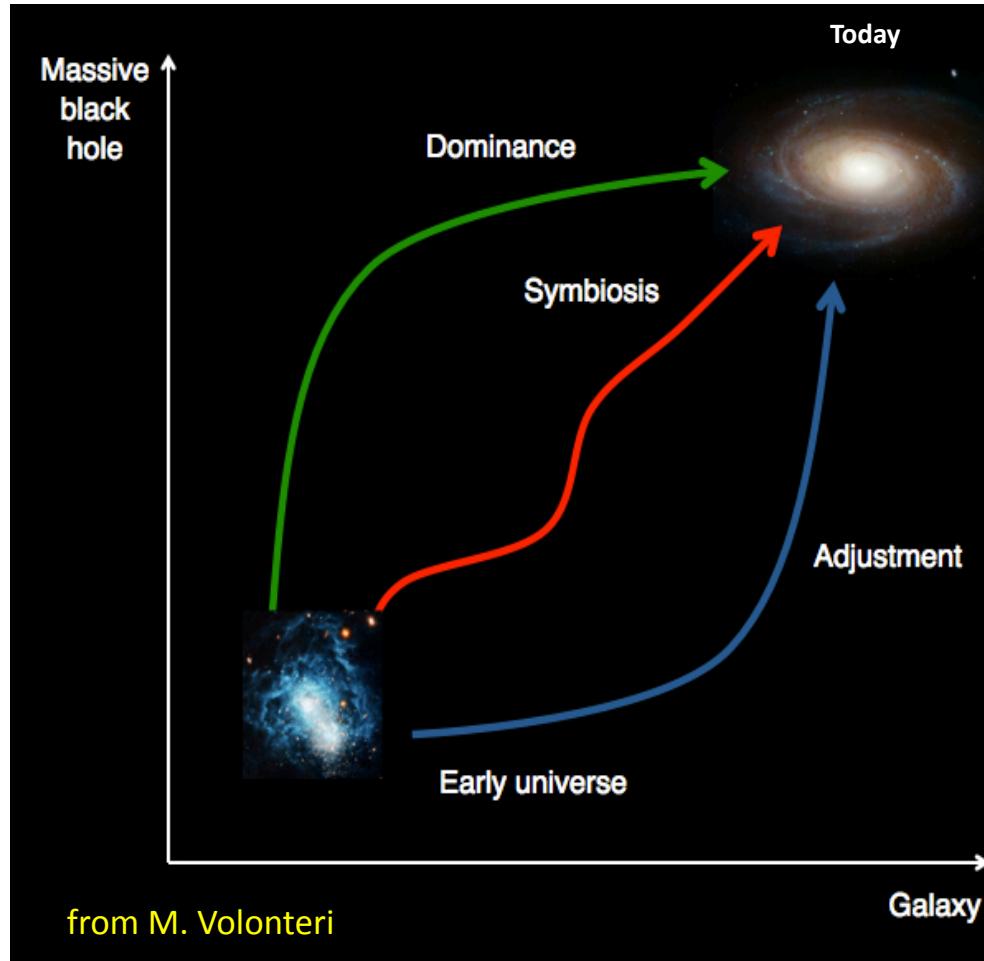
$M_{\text{gas}} = 10^{9-10} M_{\text{sun}}$

Gas depleted, i.e. SF shut in $t = M_{\text{gas}}/\dot{m}_{\text{out}} = 10^{6-8} \text{ yr}$

→ SMBH activity **may** influence the whole host galaxy



BH/galaxy coevolution



Key open questions

When and where BHs form?

Do they form only at early times?

Do they anticipate galaxy formation?

What is their origin (seeds)?

How does a SMBH grow?

accretion → Active Galactic Nucleus phase

Eddington limit: $F_{\text{rad}} \leq F_{\text{grav}}$. It assumes spherical symmetry and pure HII gas
(still robust limit)

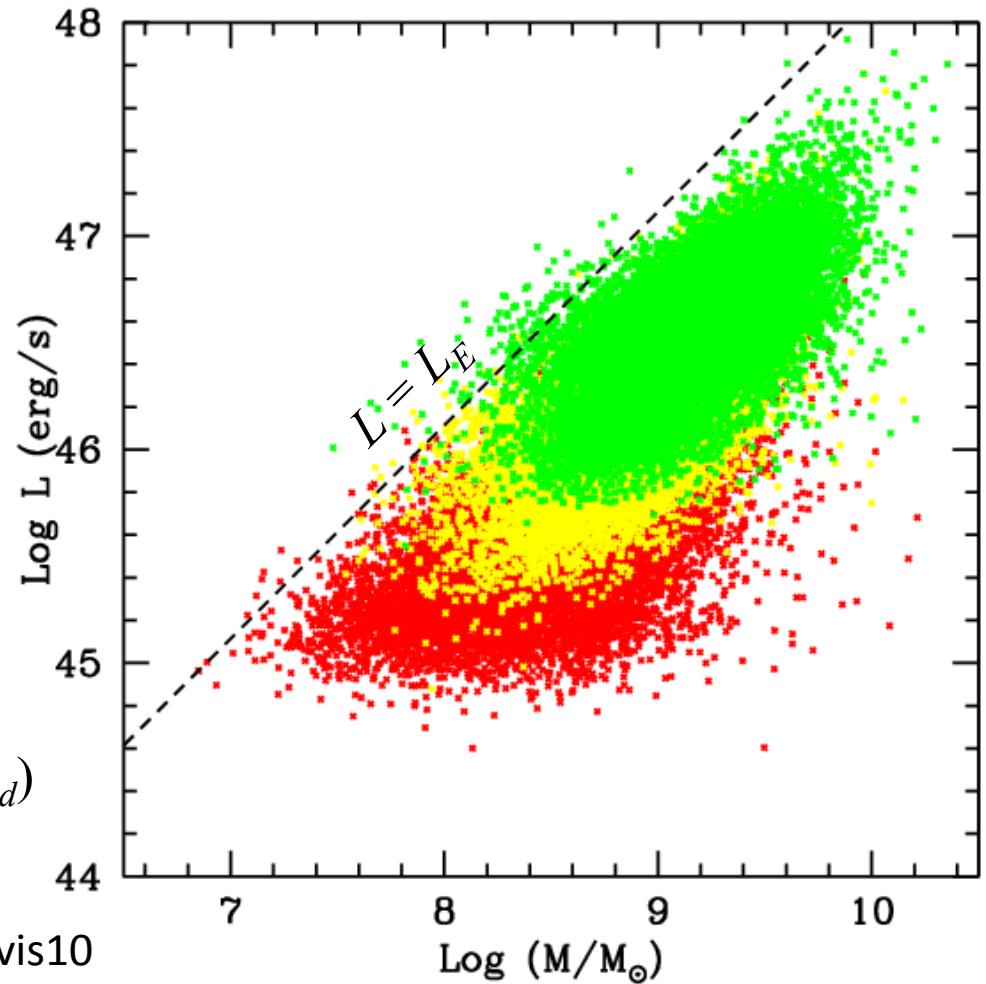
$$L_E = \frac{4\pi G m_p c^2 M}{\sigma_T c} = \frac{M c^2}{t_E}$$

$$= 1.26 \times 10^{46} \frac{M}{10^8 M_\odot} \text{ erg/s}$$

$$t_E = \frac{\sigma_T c}{4\pi G m_p} = 0.45 \text{ Gyr}$$

$$\lambda \equiv L_{\text{bol}}/L_E \quad (= \text{Eddington ratio } f_{\text{Edd}})$$

Steinhardt&Elvis10



How does a SMBH grow?

$$L_{bol} = \epsilon \dot{m}_{acc} c^2$$

ϵ = radiative efficiency

Neglecting GR effects:

$$L \sim dU/dt = GM\dot{m}_{acc}/r$$

For $r=5R_s$:

$$(R_s = 2GM/c^2 = 2 \text{ AU for } M=10^8 M_{sun})$$

$$L \sim 0.1 \dot{m}_{acc} c^2, \text{ i.e. } \epsilon \sim 0.1$$

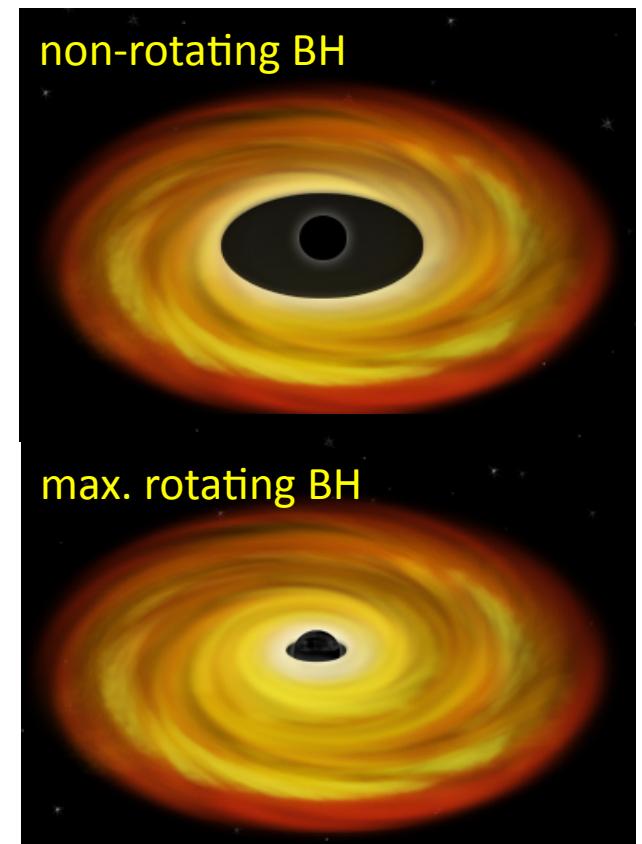
$$\dot{m}_{acc} = \frac{\lambda L_E}{\epsilon c^2} = \frac{\lambda M}{\epsilon t_E}$$

$$= 2.2 M_{sun}/\text{yr} \text{ for } M=10^8 M_{sun}, \lambda=1 \text{ and } \epsilon=0.1$$

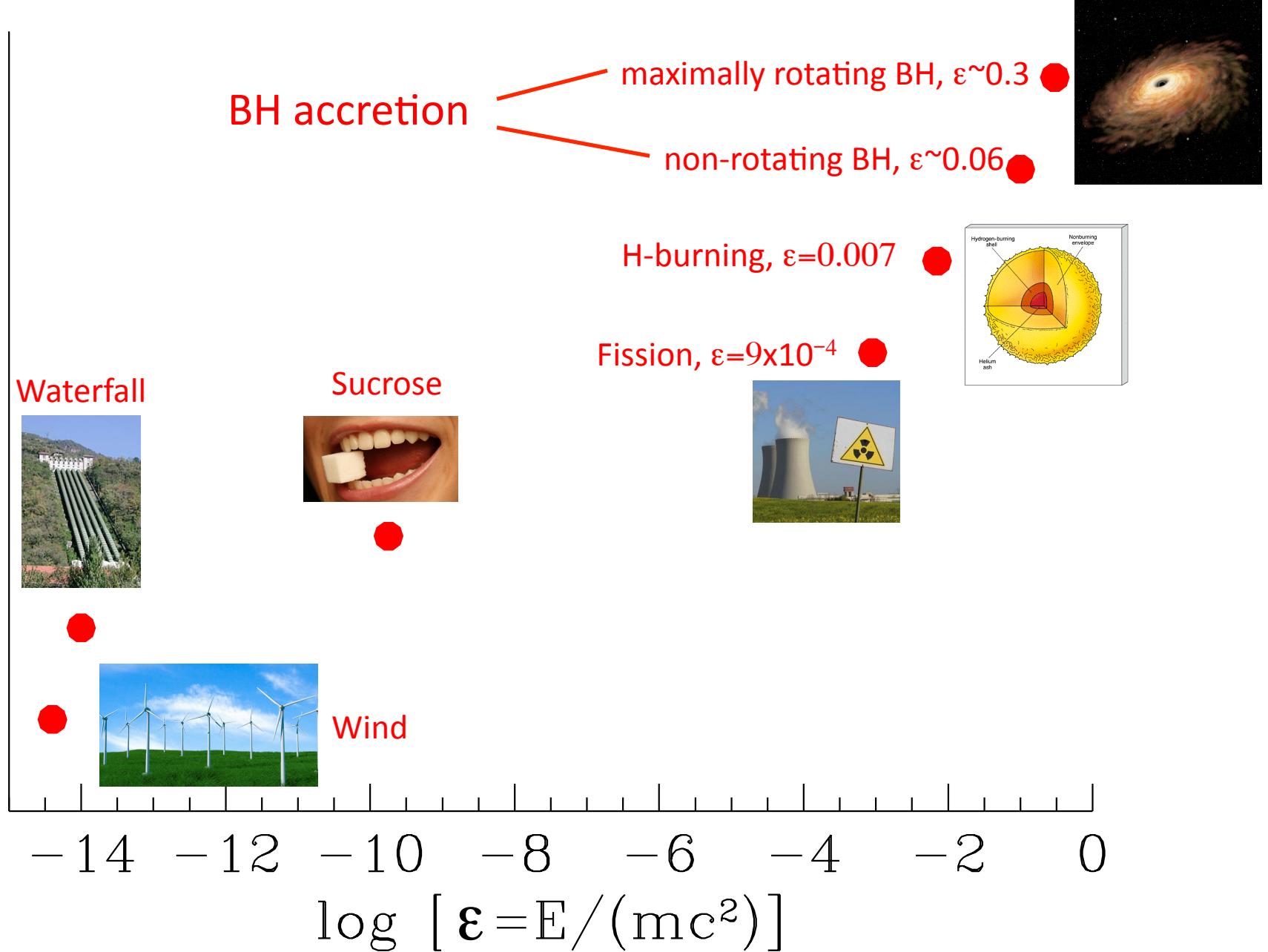
$$\epsilon \sim 0.06$$

$$\epsilon \sim 0.3$$

Accretion disk



Mechanism



Adapted from G. Ghisellini slides

How does a SMBH grow?

$$\dot{M} = (1 - \epsilon) \dot{m}_{acc} = \frac{(1 - \epsilon)\lambda}{\epsilon} \frac{M}{t_E}$$

$$M(t) = M_0 e^{t/t_{Sal}}$$

$$t_{Sal} = \frac{\epsilon}{1 - \epsilon} \frac{t_E}{\lambda} \quad (= 50 \text{ Myr for } \epsilon = 0.1 \text{ and } \lambda = 1)$$

it takes 16 (9) Salpeter times , i.e. 0.8 (0.5) Gyr to grow a $10^9 \text{ M}_{\text{sun}}$ BH starting from 10^2 (10^5) M_{sun}

rate of change of a quantity propto the quantity itself → exponential growth (like money – or debts... - on your bank account)



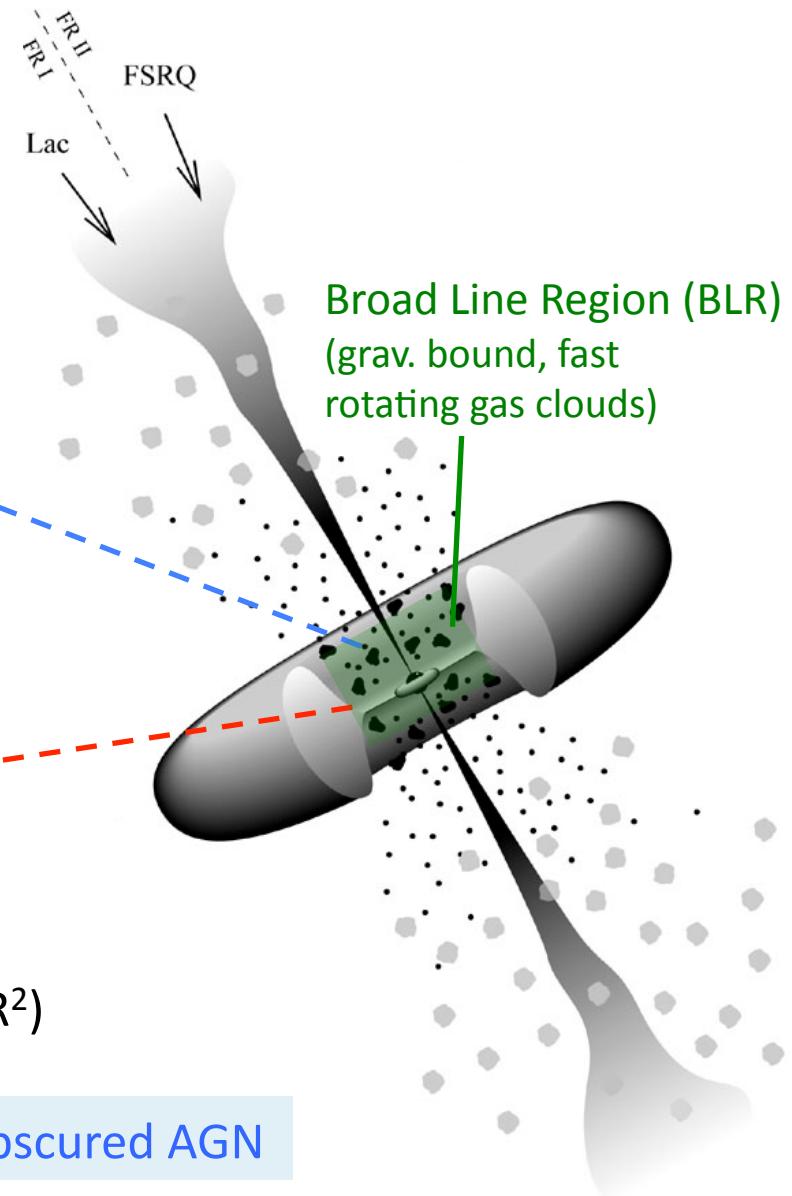
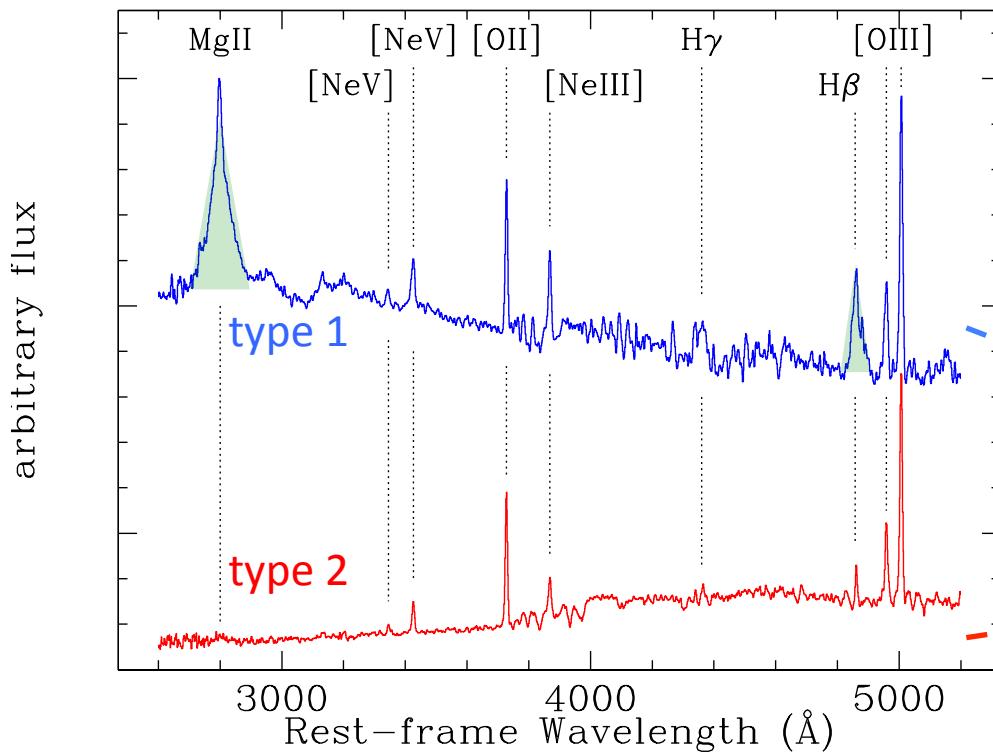
Initial BH mass, i.e. the BH seed,
the big unknown!

$$L_{bol}(t) = \lambda L_E = \lambda \frac{M(t)c^2}{t_E} = L_0 e^{t/t_{Sal}}$$

$$L_0 = \frac{\lambda c^2 M_0}{t_E}$$

AGN types: (type 1) unobscured vs (type 2) obscured

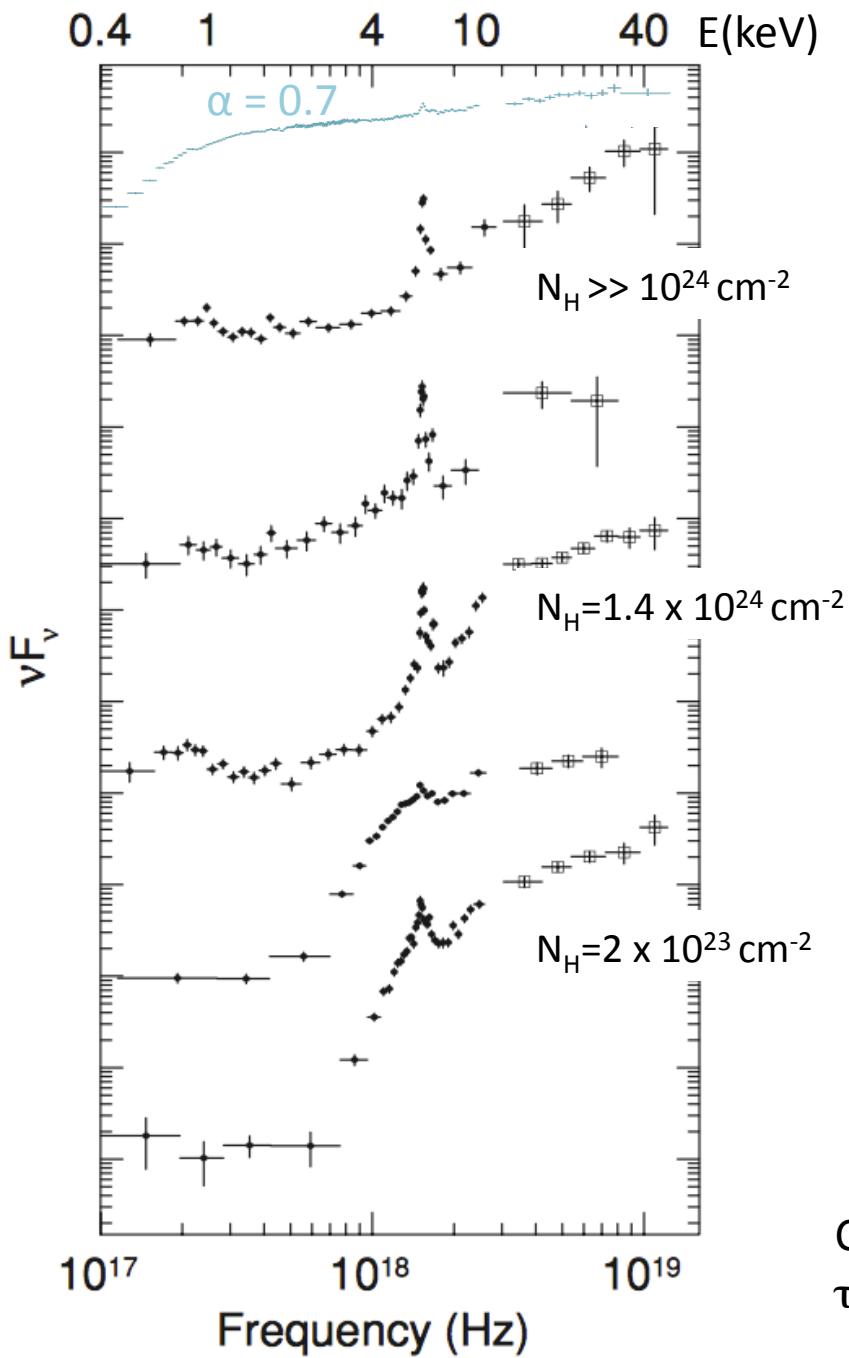
Mignoli+13



$$M_{\text{BH}} \approx r_{\text{BLR}} v_{\text{BLR}}^2 / G$$

$$v_{\text{BLR}} \sim \text{FWHM}(\text{MgII}) ; r_{\text{BLR}} \sim L_{3000}^{0.5} \quad (\leftarrow U=L/nR^2)$$

"direct" M_{BH} estimate for unobscured AGN

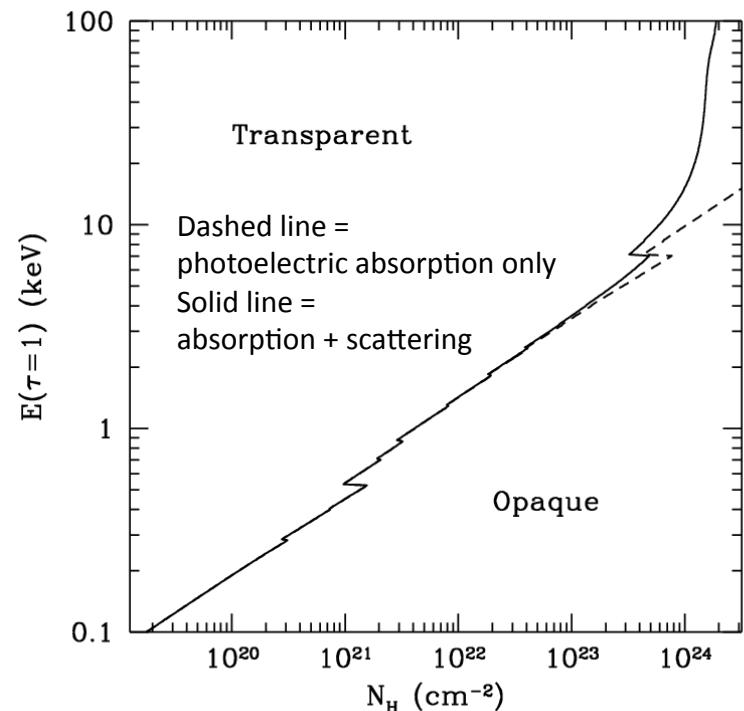


Unobscured vs obscured AGN

$$I_u(E) \approx E^{-\alpha} \quad \alpha = 0.7 - 1.0$$

$$I_o(E) \approx I_u(E) e^{-\tau}$$

$$\tau = N_H \sigma$$

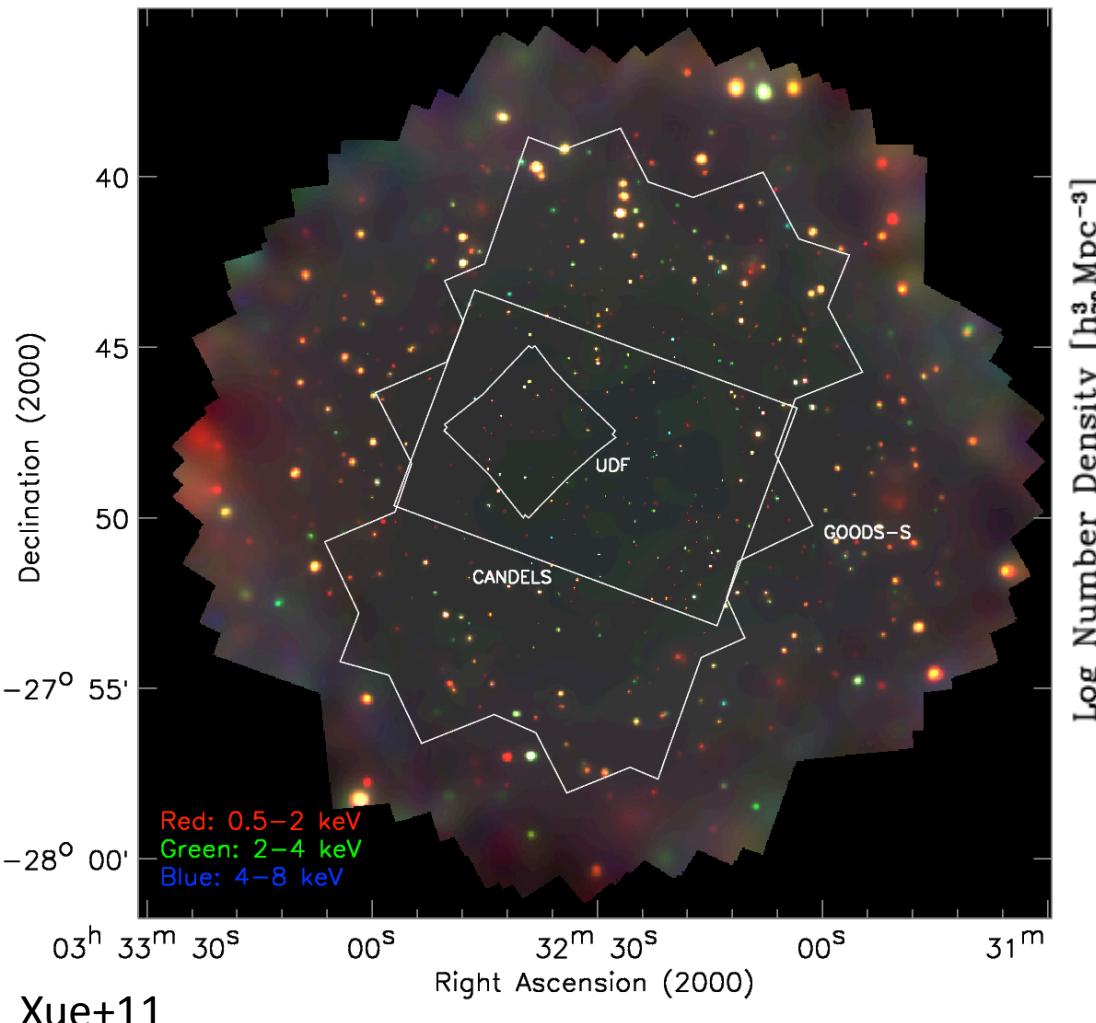


Compton -thick AGN:

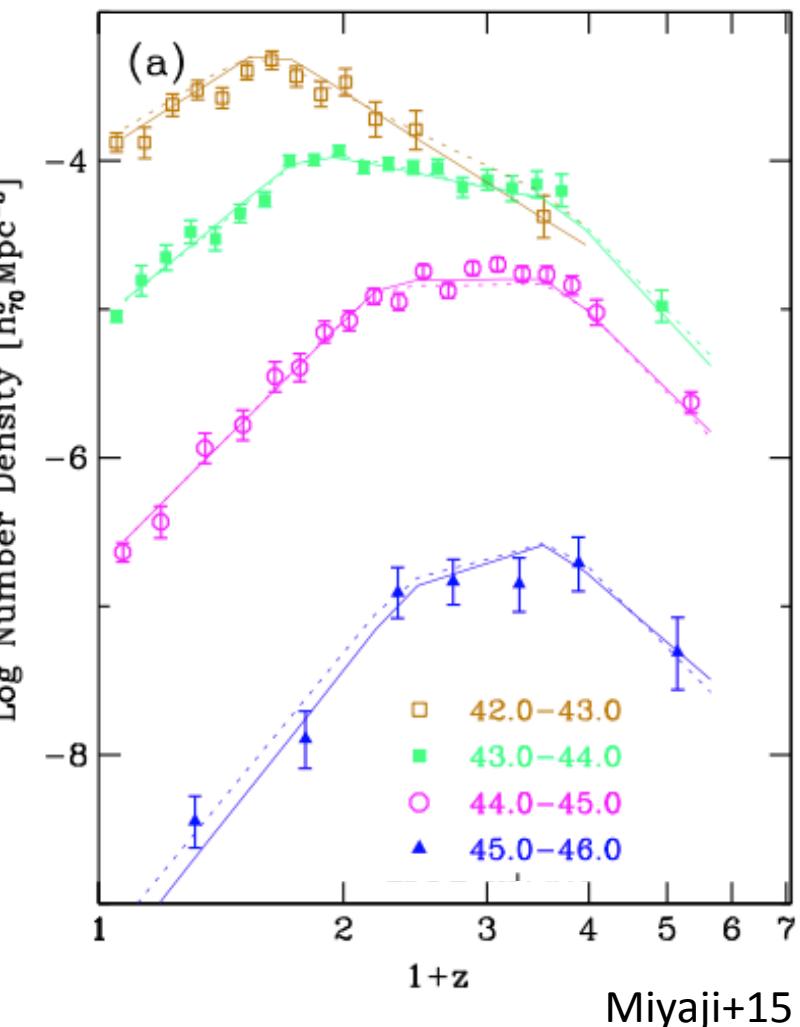
$$\tau_C = N_H \sigma_T > 1 \rightarrow N_H > 1/\sigma_T = 1.5 \times 10^{24} \text{ cm}^{-2}$$

Deep X-ray surveys and AGN evolution

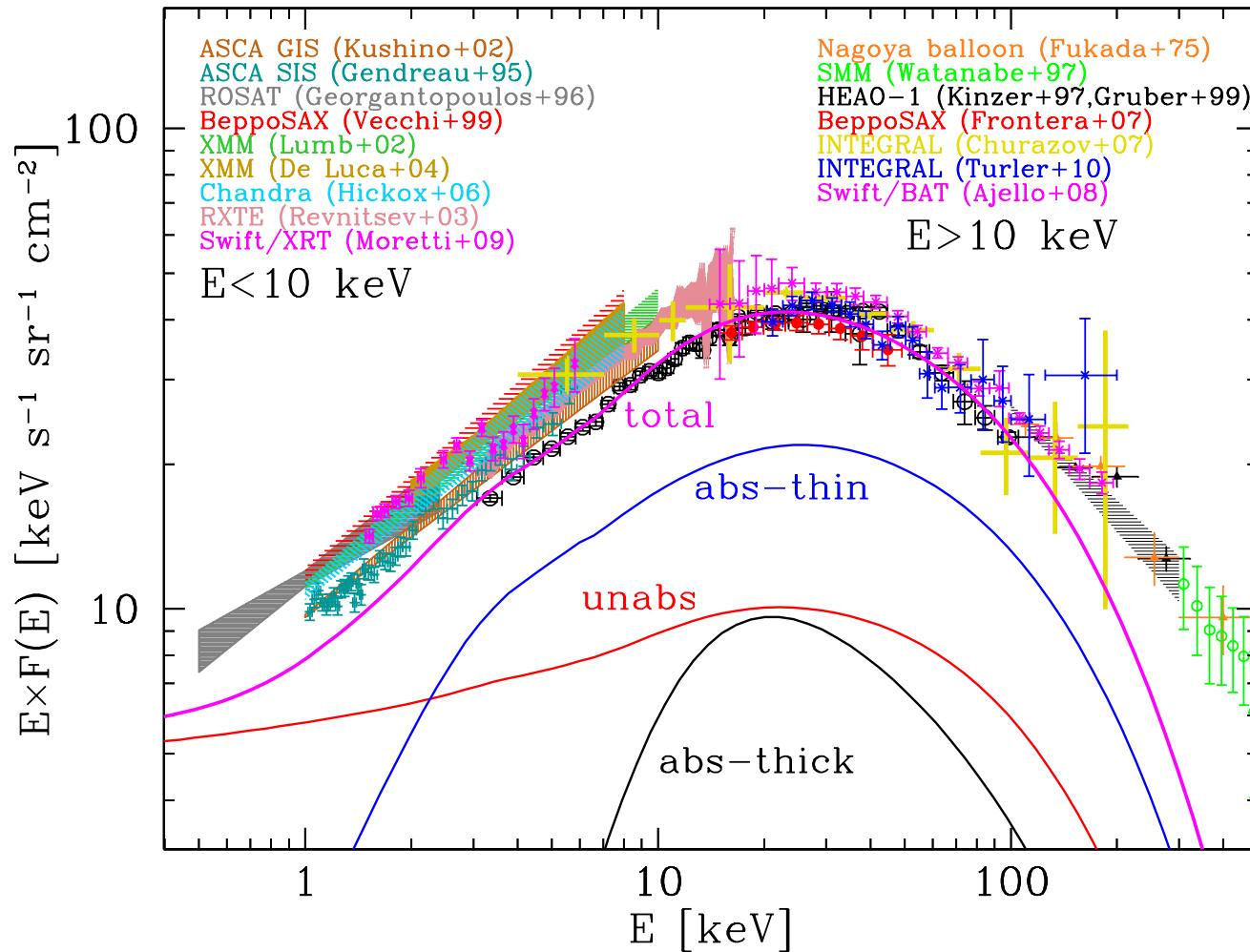
The deepest X-ray image of the Universe:
the 4Ms (1.5 months) Chandra Deep Field South
(will reach 7Ms by Dec 2015)



Space density of Compton-thin AGN



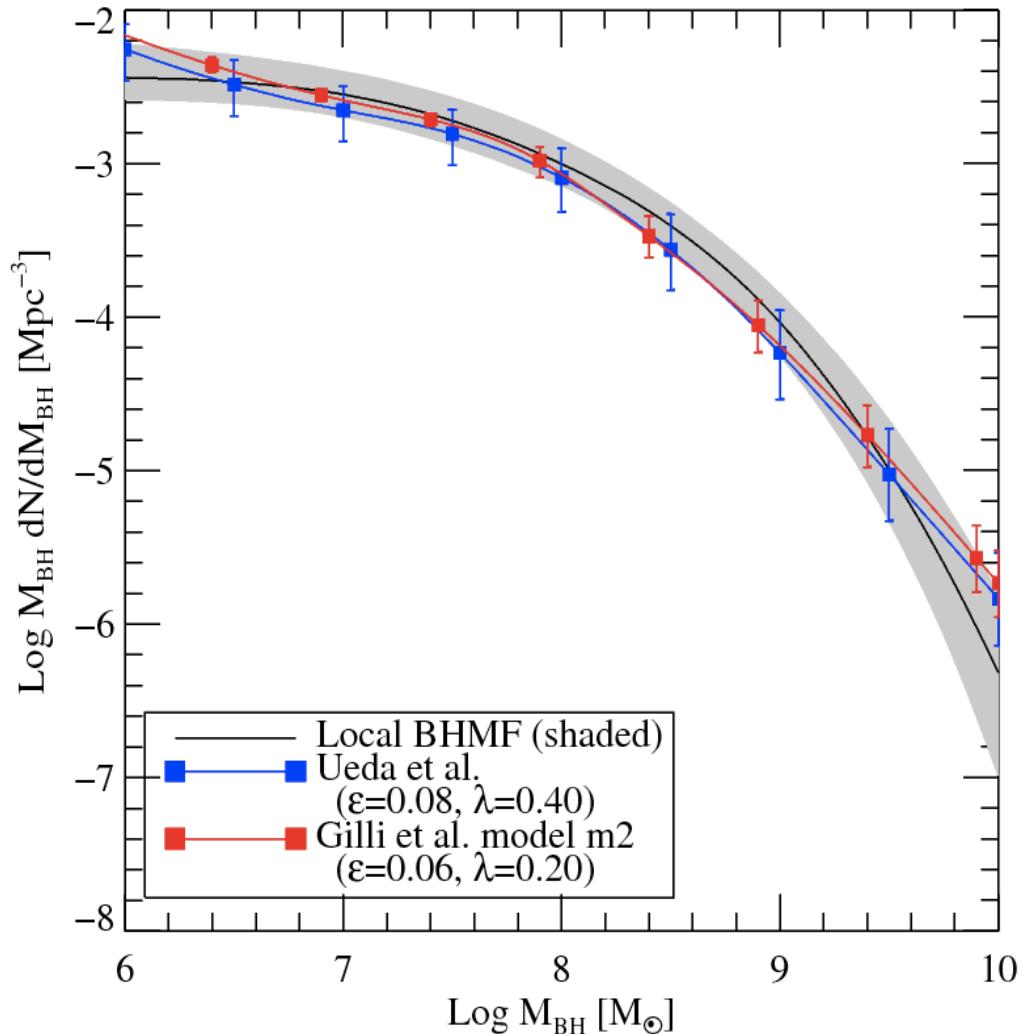
The cosmic X-ray background



$N_{\text{abs-thin}} \sim N_{\text{abs_thick}} \sim 3 \times N_{\text{unabs}} \rightarrow$
80-90% of SMBHs accretion is obscured; 40% is heavily (Compton-thick) obscured

The local SMBH mass function

relic (accreted through AGN phases) vs measured local BH mass function



Marconi+04, Shankar+04, Merloni&Heinz08, ...

$$M_{\text{BH}} = [(1-\varepsilon)/\varepsilon] L/c^2 \rightarrow$$

(integrating over time and population)

$$\rho_{\text{relic}} = [(1-\varepsilon)/\varepsilon] U_T/c^2$$

ρ_{relic} = mass density of relic BH

U_T = total bolometric AGN energy density
(i.e. obscured + unobscured)

$$\rho_{\text{measured}} \sim 4 \times 10^5 M_{\odot} \text{ Mpc}^{-3}$$

$$\rho_{\text{relic}} \sim \rho_{\text{measured}} \rightarrow$$

local SMBHs appear to have formed
through active phases across
galaxies' lifetimes

The first black holes

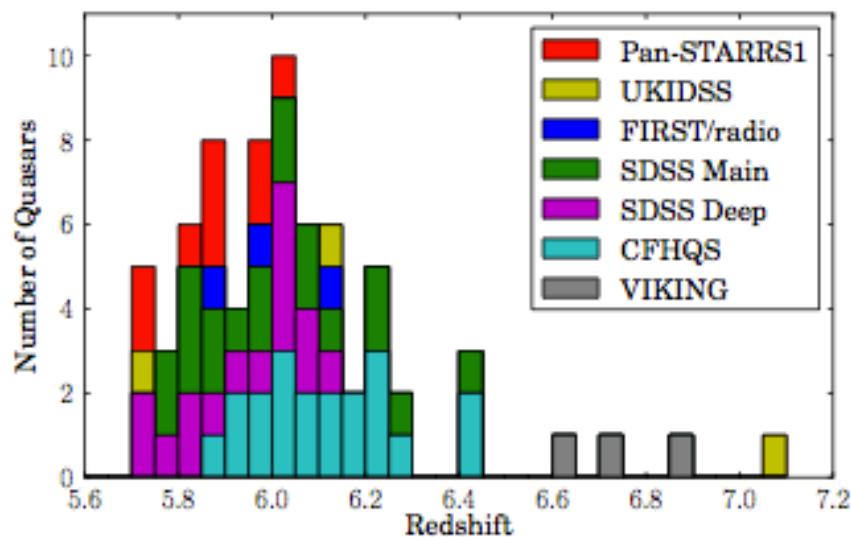
($z > 6$, $t_{\text{Universe}} < 1 \text{ Gyr}$)

Demography of high-z QSOs

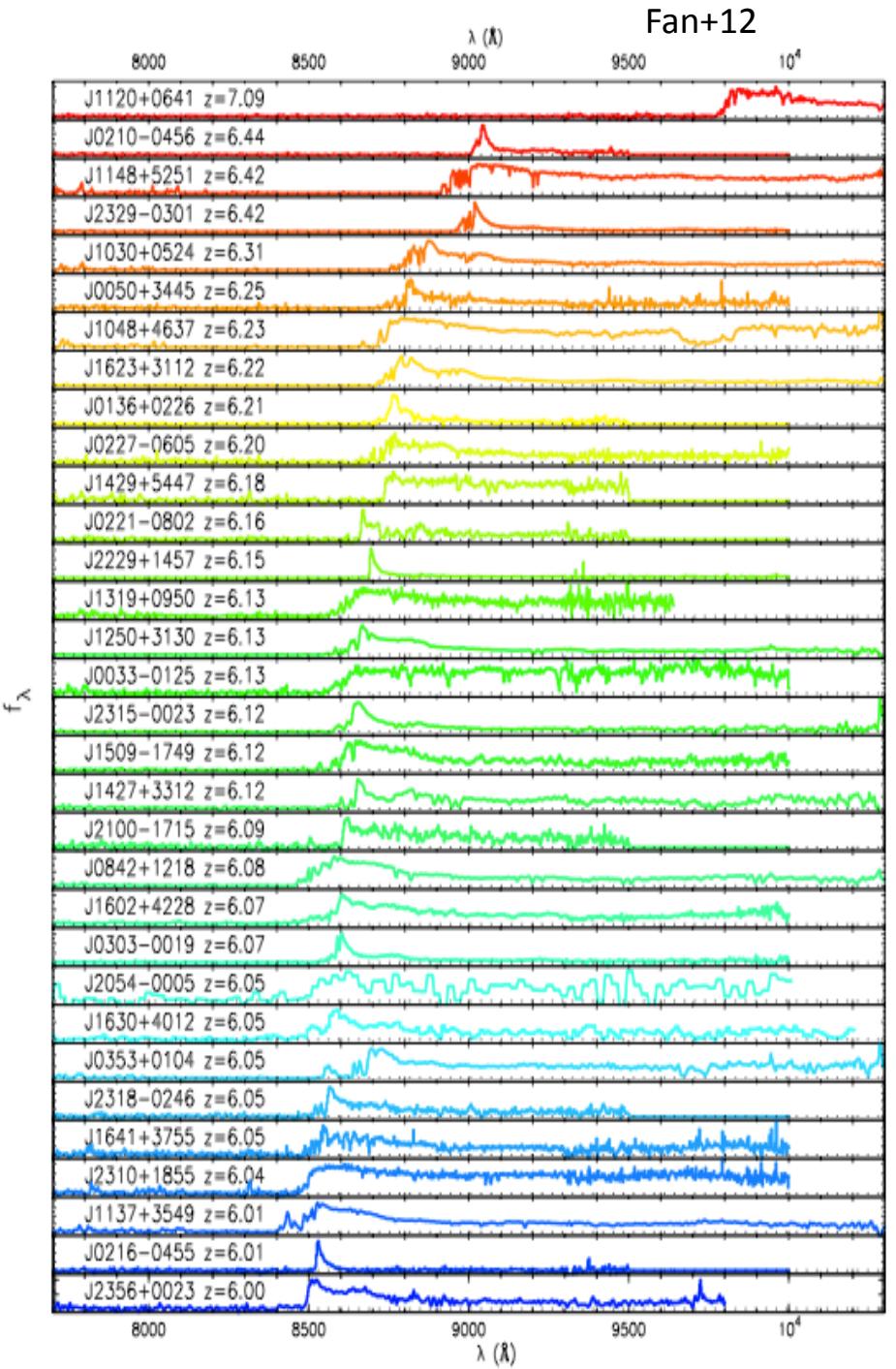
About **80 QSOs known at $z > 5.7$** from wide area optical (SDSS, CFHQS, Pan-STARRS1) and near-IR (UKIDSS, VISTA) surveys
 (Fan+00–06; Jiang+08,09; Willott+07,09,10; Banados+14, Mortlock+11; Venemans+13)

SDSS main and Pan-STARRS1 trace the most luminous QSOs: $M_{1450} \sim -27$, $L_{bol} \sim 3 \times 10^{47} L_{\text{sun}}$

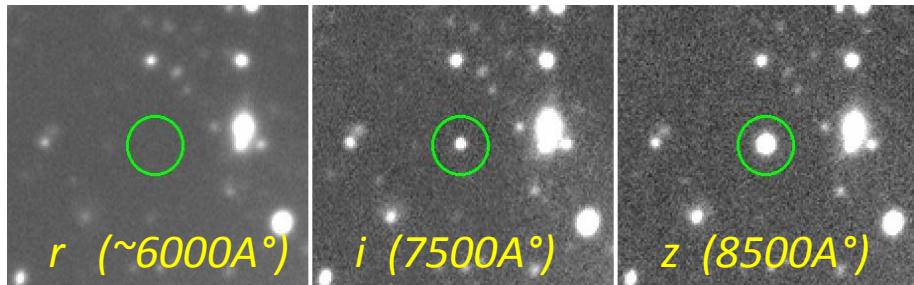
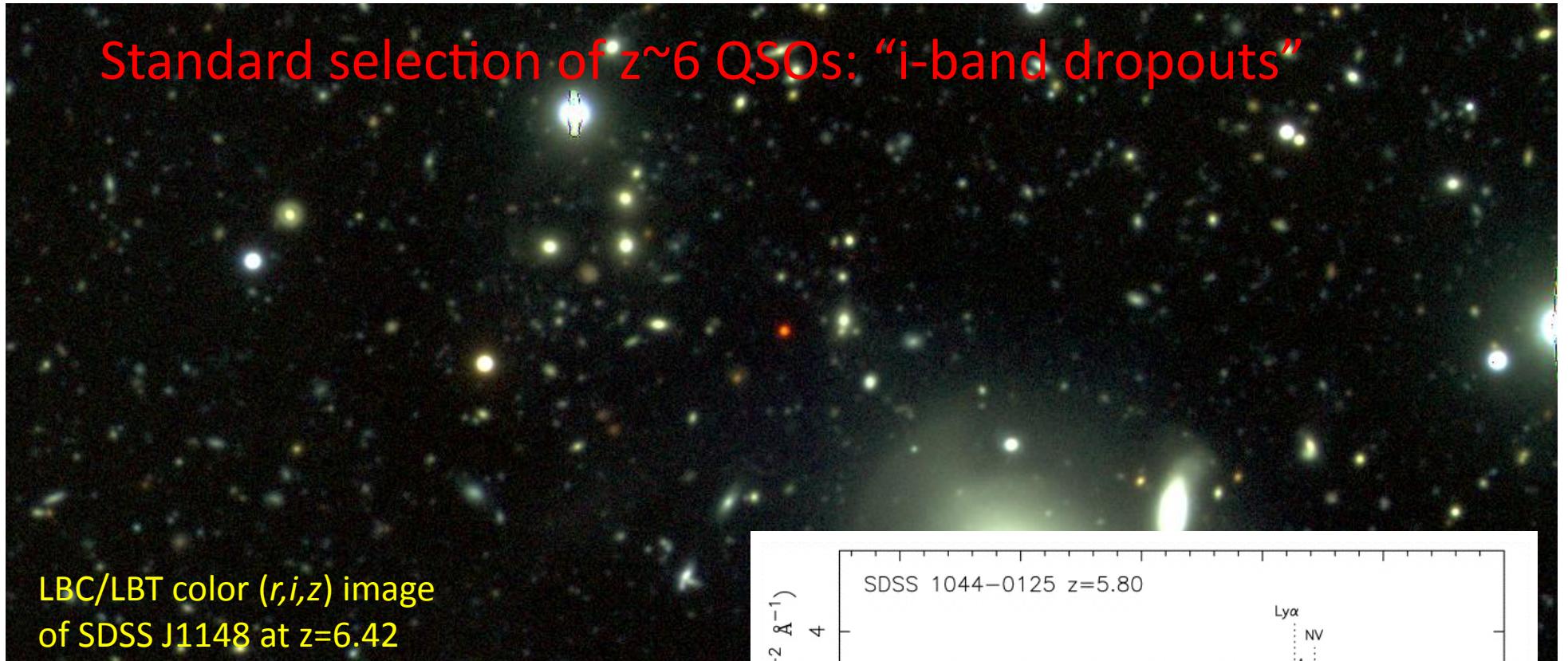
SDSS-Stripe82 and CFHQS go ~ 2 mag deeper



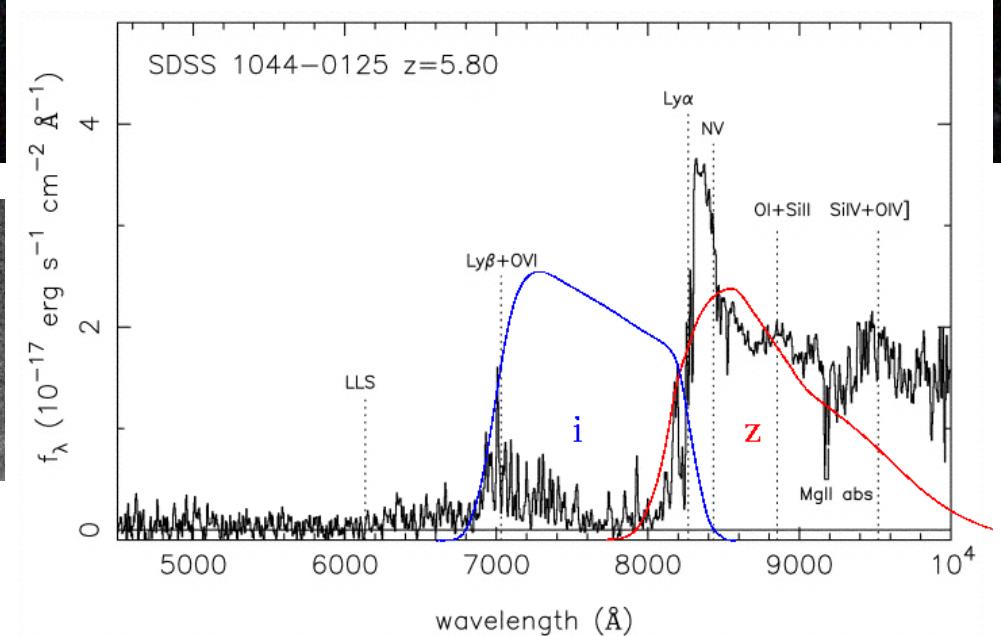
Banados+14



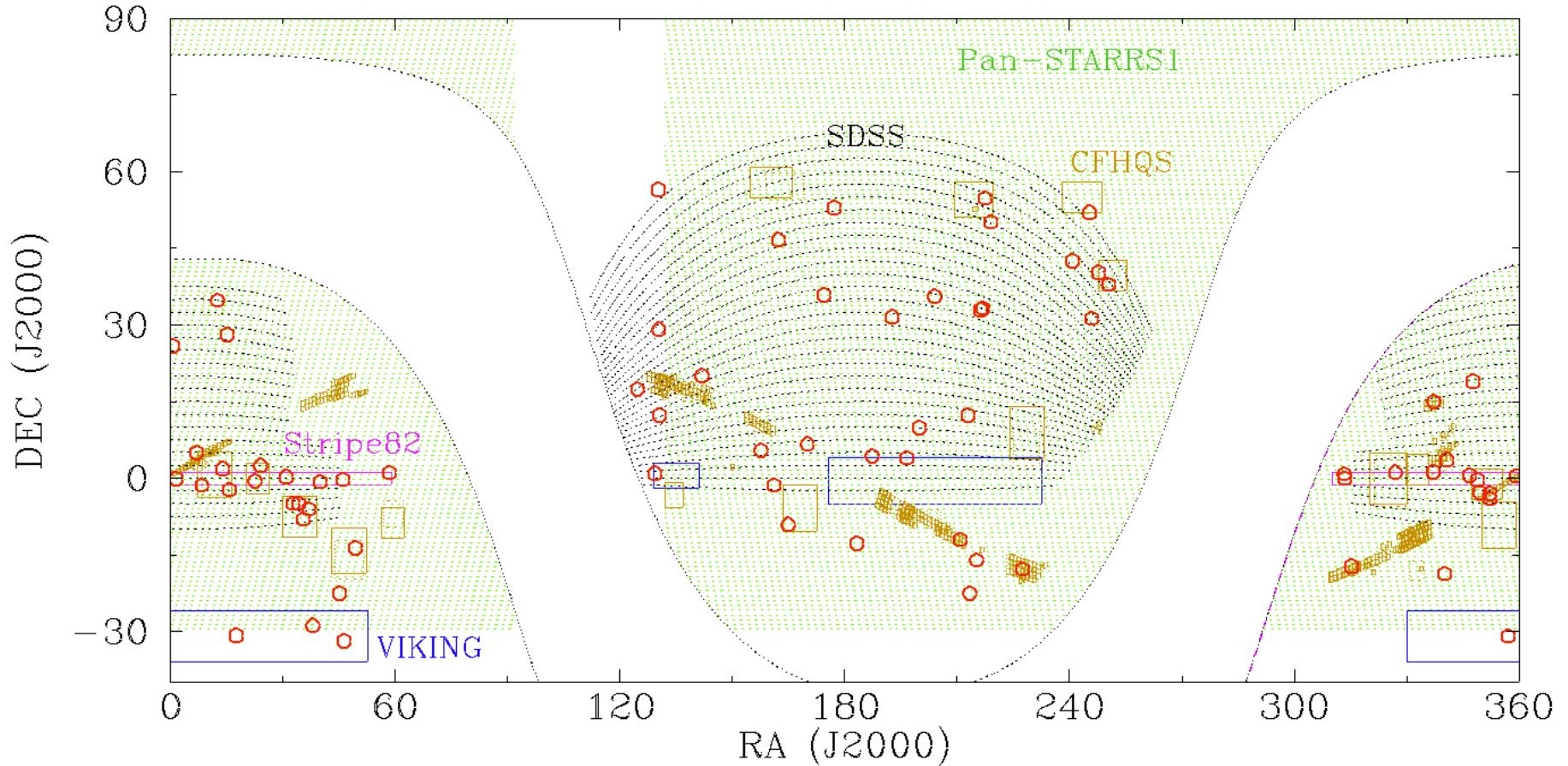
Standard selection of $z \sim 6$ QSOs: “i-band dropouts”



Color selection: $i-z \geq 2$,
no detection blueward of i-band



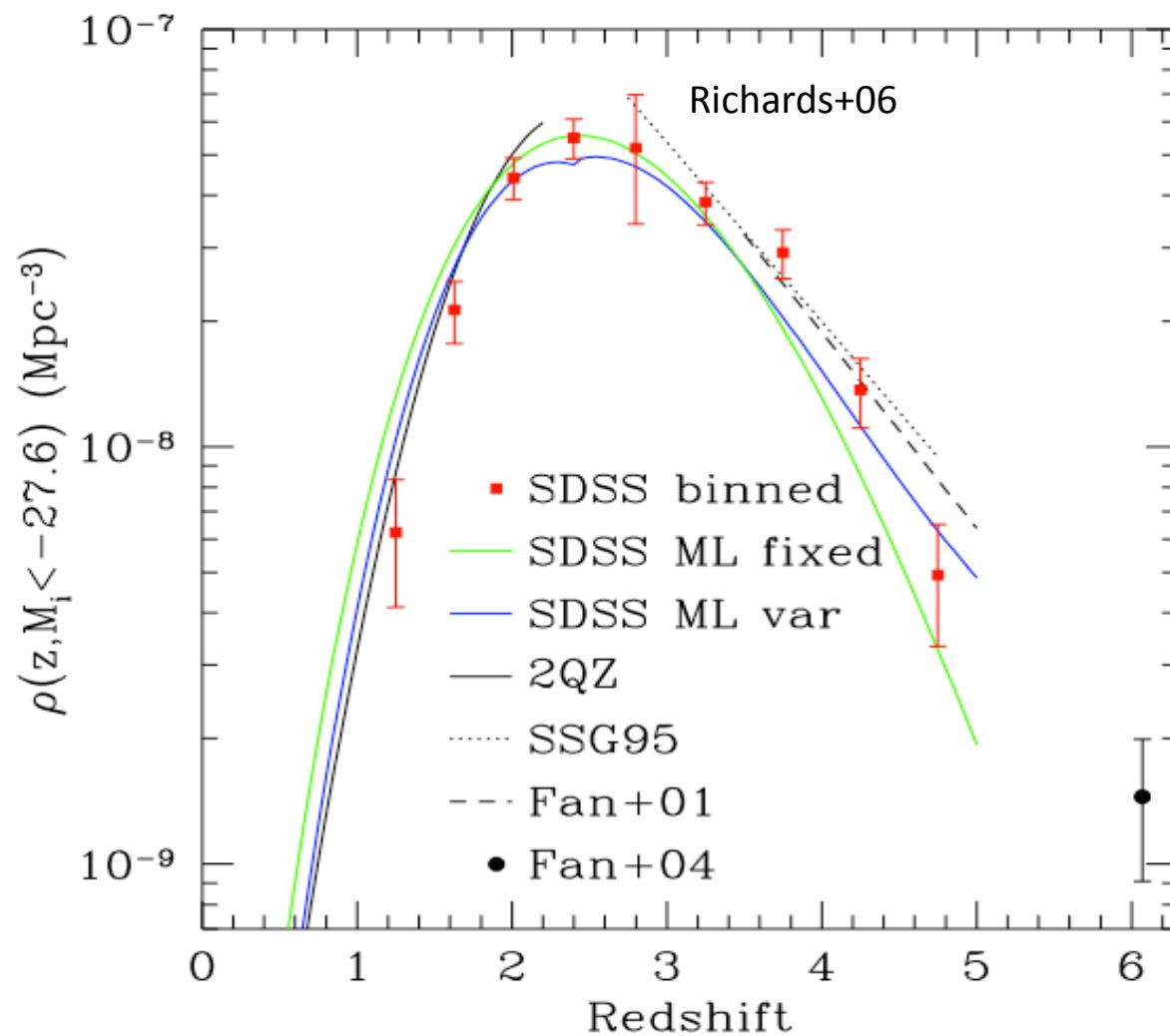
High-z QSOs are rare



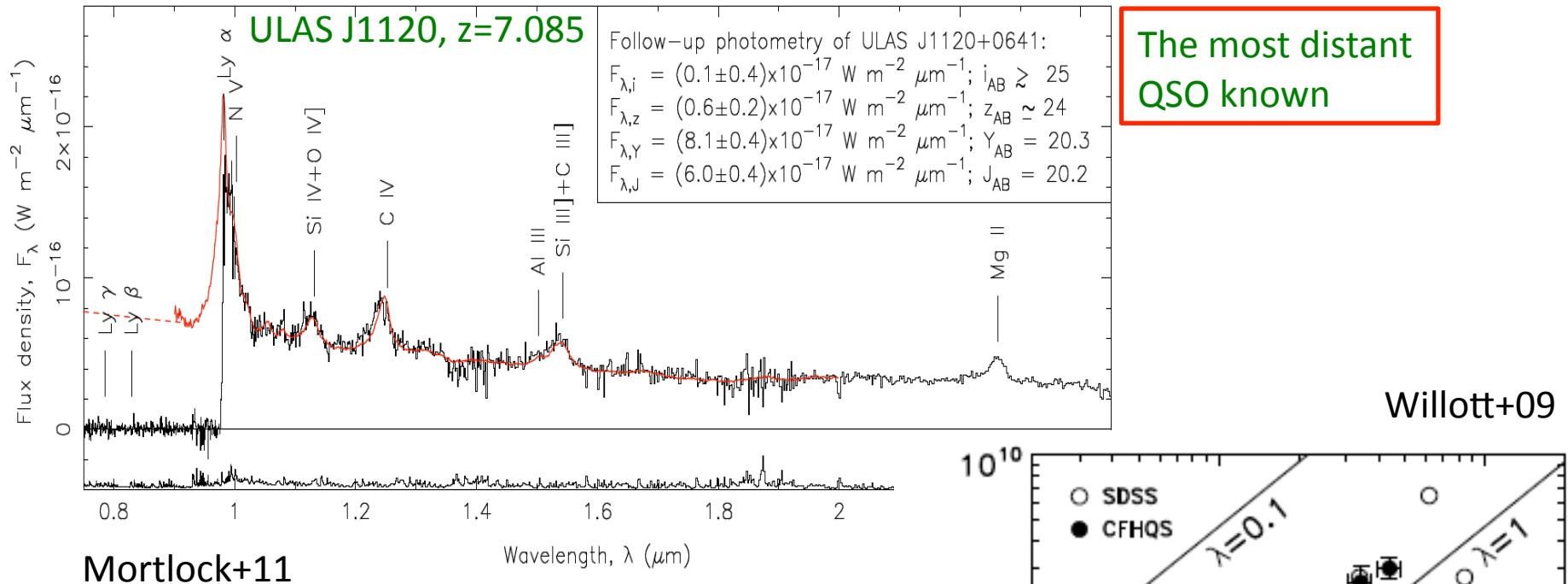
~ 1 every 500 deg² at $z_{AB} < 20$ (\rightarrow only ~80 in the whole Universe)

~ 1 every 40 deg² at $z_{AB} < 22$

High-z QSOs are rare: 1 per comoving Gpc³



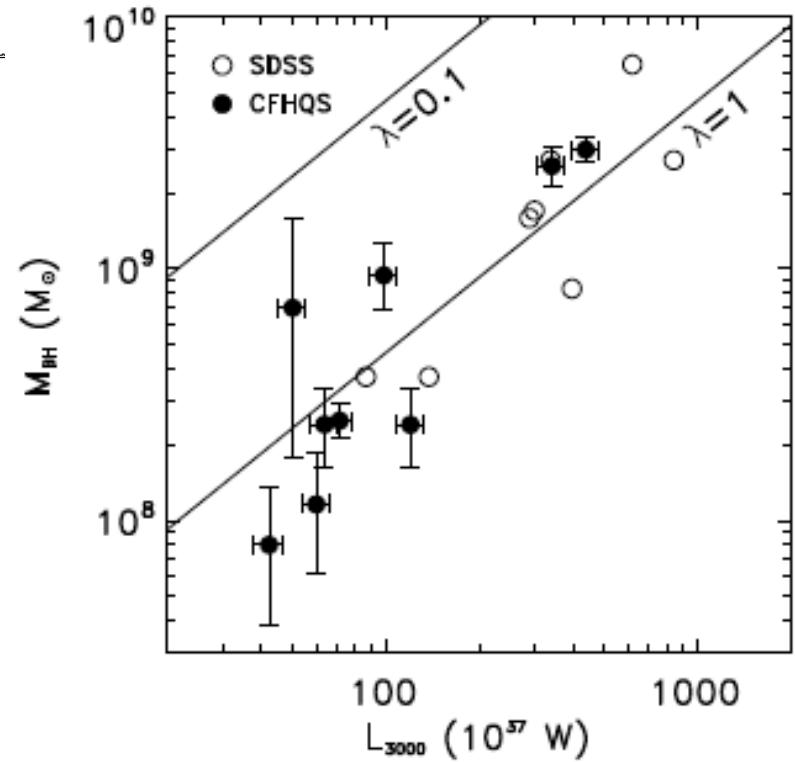
High-z QSOs are similar to low-z QSOs



They are powered by massive SMBHs accreting at their Eddington limit

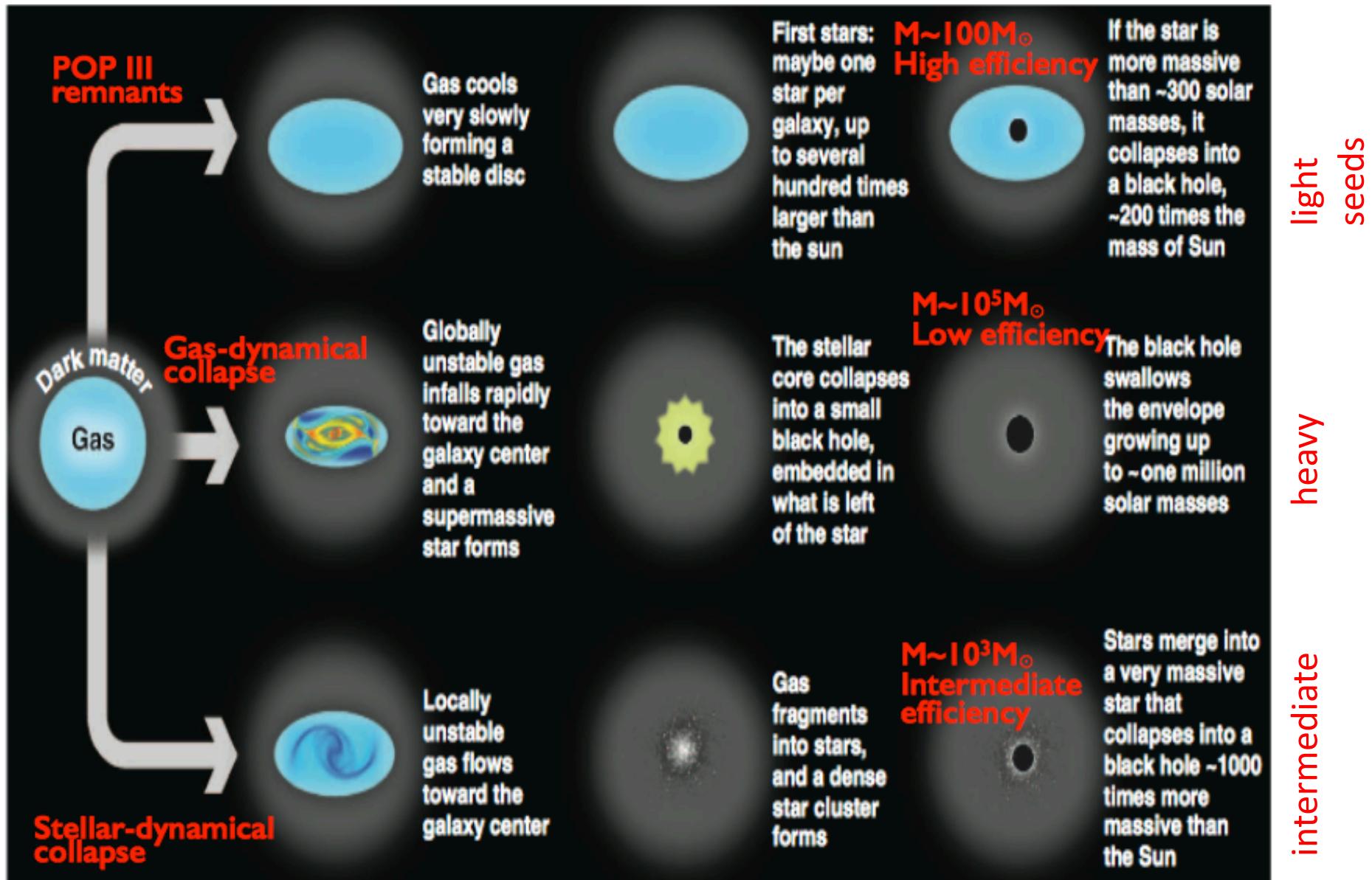
$$M_{\text{BH}} \sim 10^8 - 10^{10} M_{\text{sun}}$$

$$L \sim L_{\text{Edd}}$$

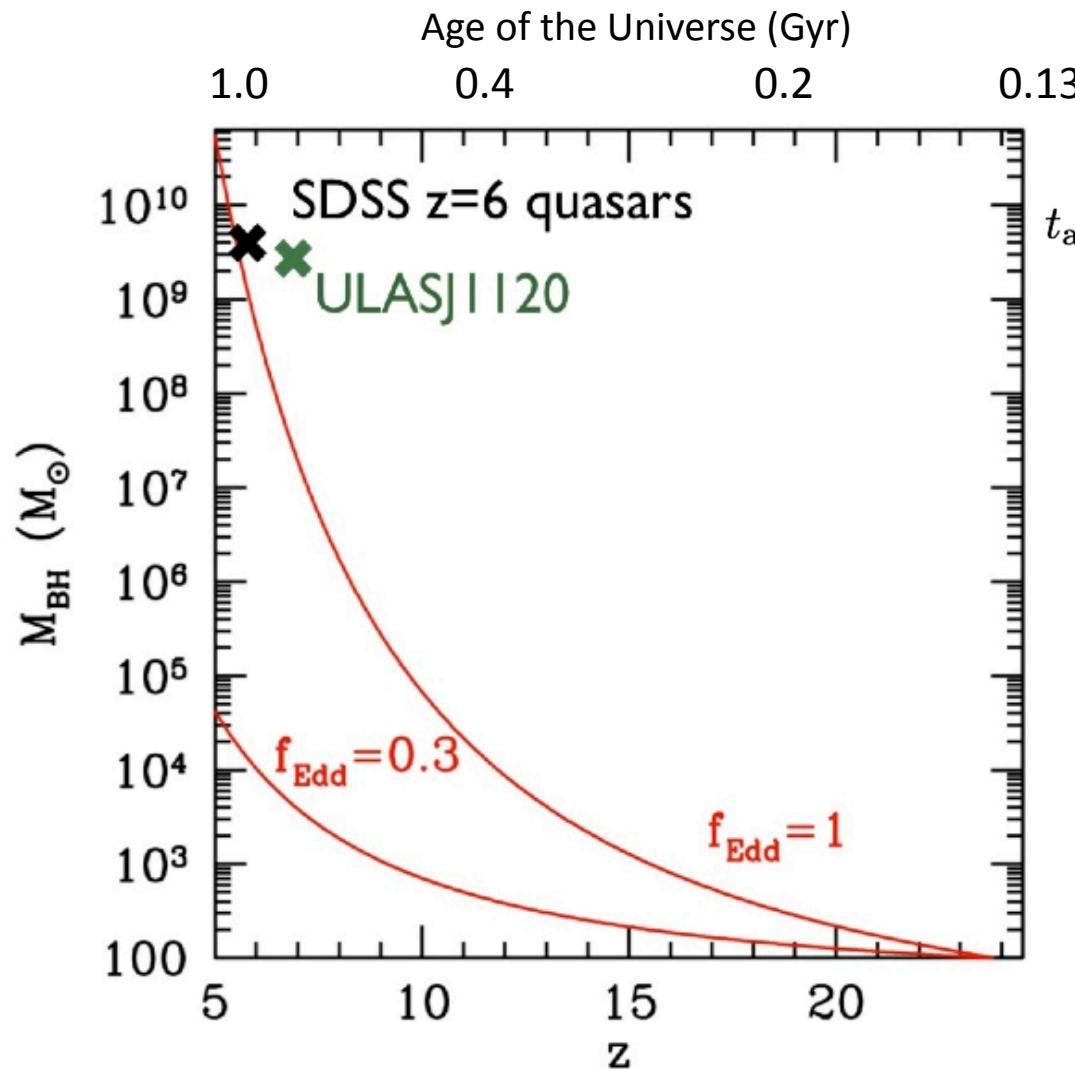


Some hypotheses on BH seeds

Volonteri 2010



How did they grow to $10^9 M_{\text{sun}}$ in less than 1 Gyr?



$$t_{\text{acc}} = 0.45 \text{ Gyr} \frac{\epsilon}{1 - \epsilon} f_{\text{Edd}}^{-1} \ln(M_{\text{fin}}/M_{\text{in}})$$

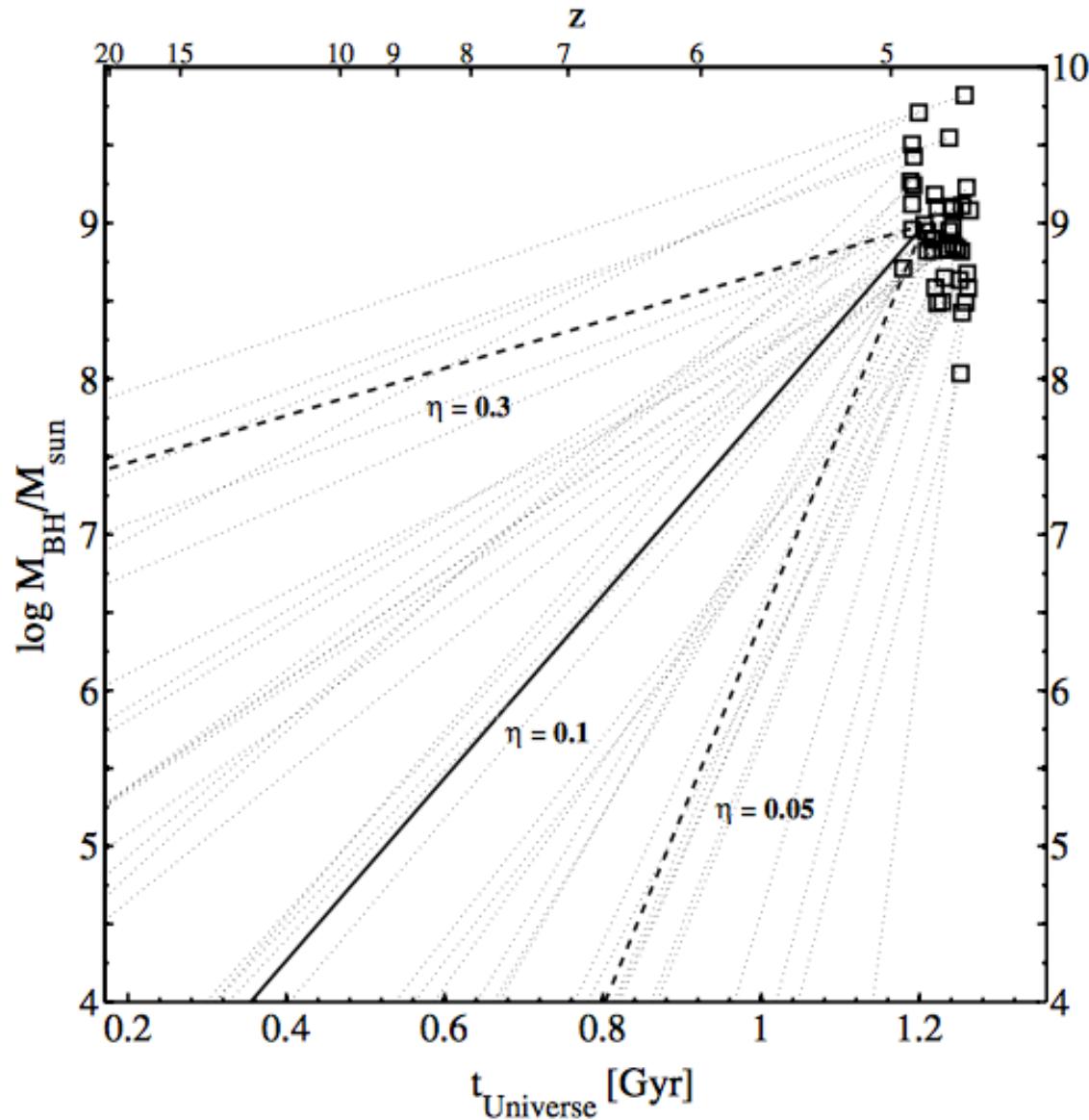
stellar (light) seeds require
continuous accretion at $f_{\text{Edd}}=1$
since $z > 20$ (for $\epsilon=0.1$)



massive ($10^{4-6} M_{\text{sun}}$) seeds
direct collapse black holes?

From F. Haardt

How did they grow to $10^9 M_{\text{sun}}$ in less than ~ 1 Gyr?

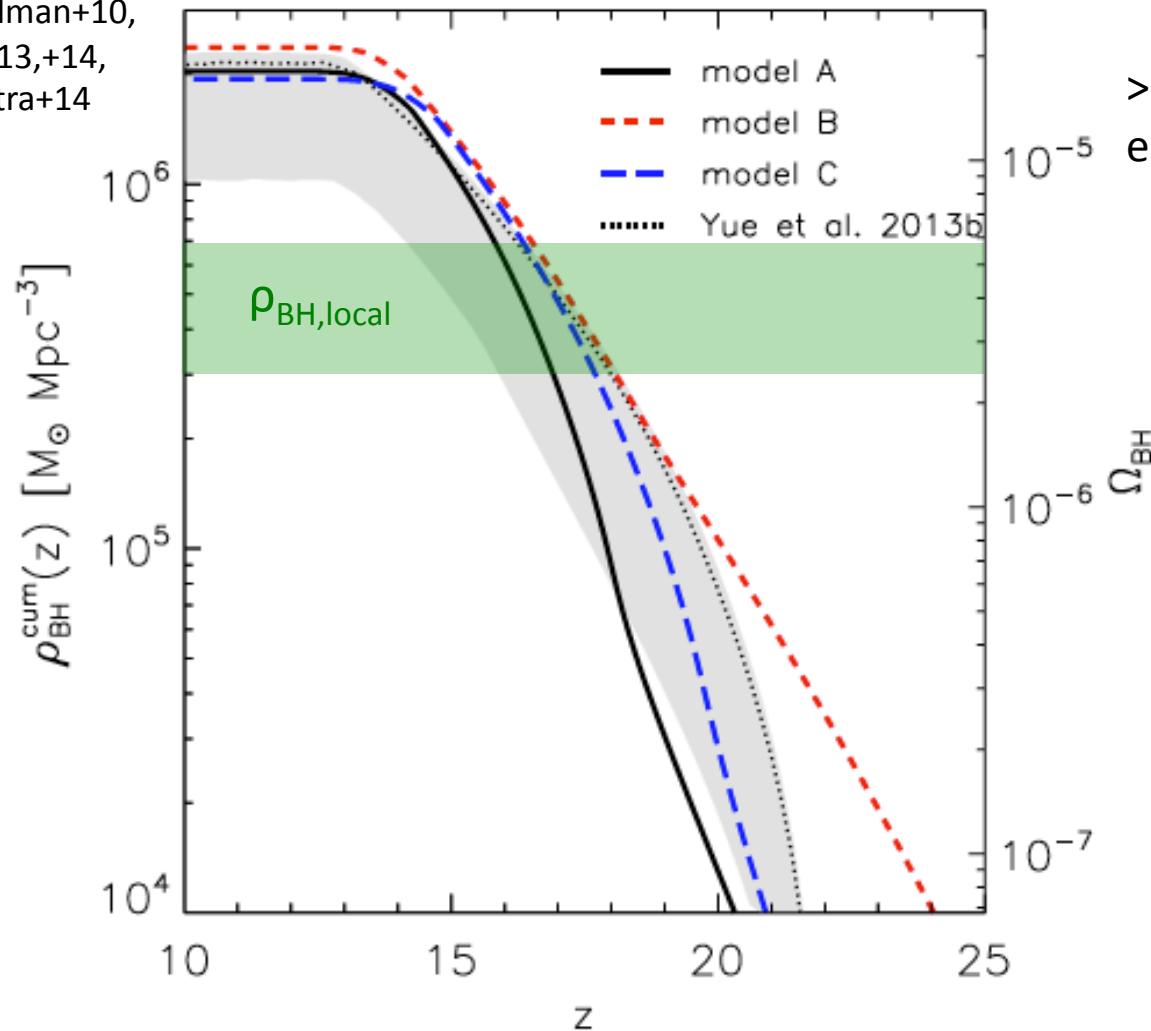


Trakhtenbrot+11

Heavy seeds?

Direct Collapse Black Holes (10^4 - $10^6 M_{\odot}$)

Volonteri+08,
Begelman+10,
Yue+13,+14,
Dijkstra+14

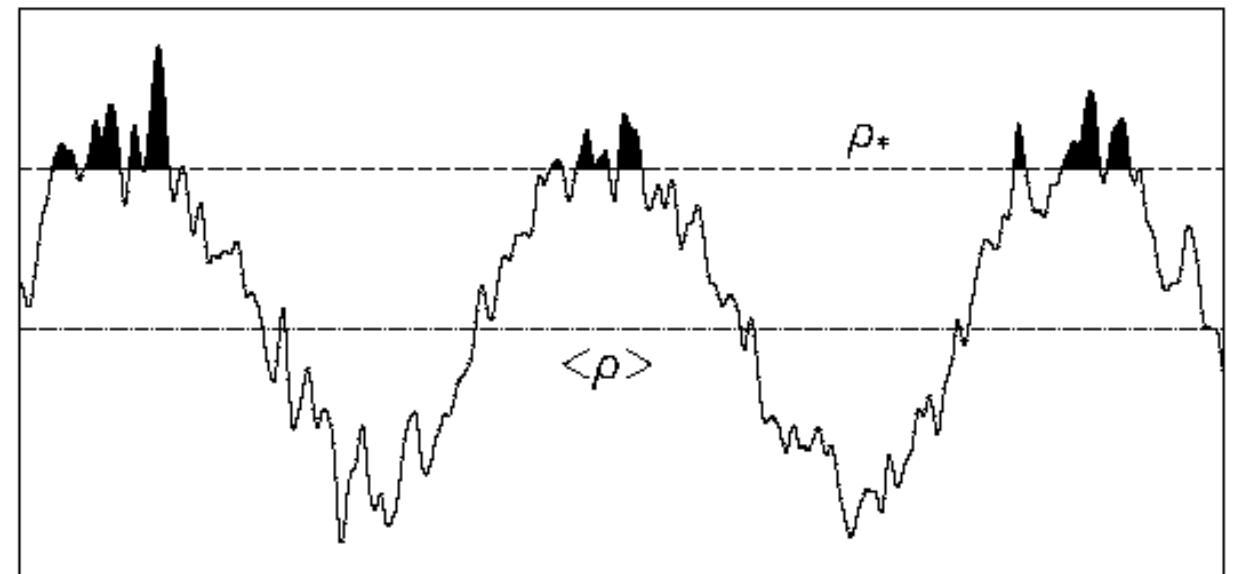


Yue+14

Early accreting SMBHs are:

- 1) **rare**. 1 per Gpc^3 , like $10^{13} M_{\text{sun}}$ **halos** (for duty cycle=1)
- 2) **big**. $M_{\text{BH}} = 10^9 M_{\text{sun}} \rightarrow M_* = 10^{11-12} M_{\text{sun}} \rightarrow M_{\text{halo}} = 10^{12-13} M_{\text{sun}}$

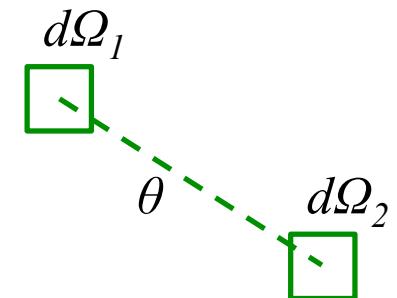
are they highly clustered?



Correlation function

angular correlation function $w(\theta)$

$$dP = n^2[1 + w(\theta)]d\Omega_1 d\Omega_2$$



excess probability over random of finding one galaxy within the solid angle $d\Omega_1$ and another galaxy within $d\Omega_2$ separated by an angle θ

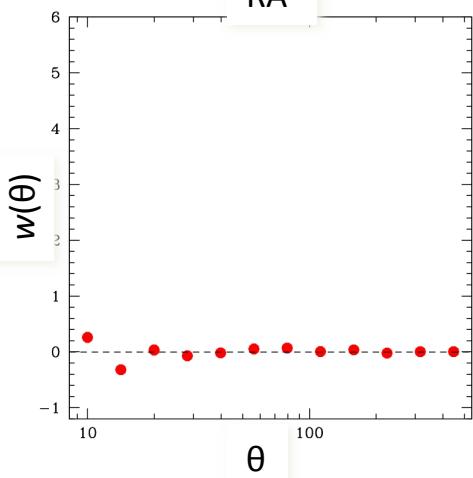
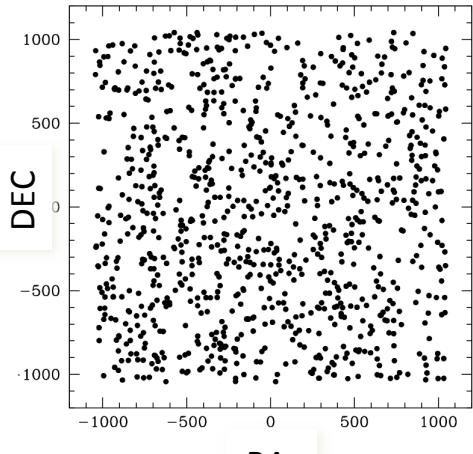
Spatial correlation function $\xi(r)$

$$dP = n^2[1 + \xi(r)]dV_1 dV_2$$

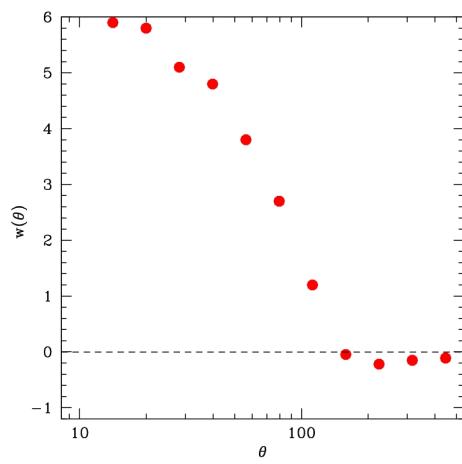
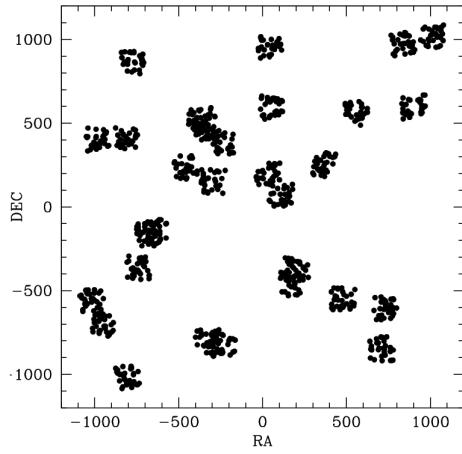
$$\xi(r) = (r/r_0)^{-\gamma}$$

Some examples

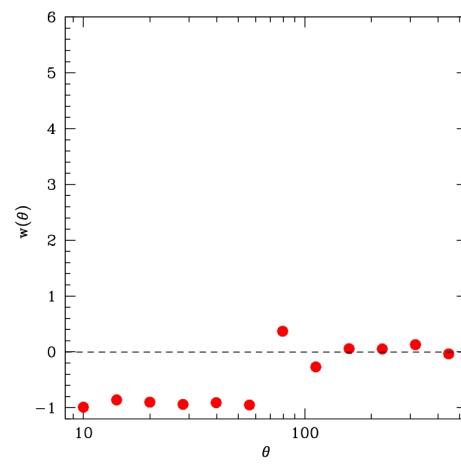
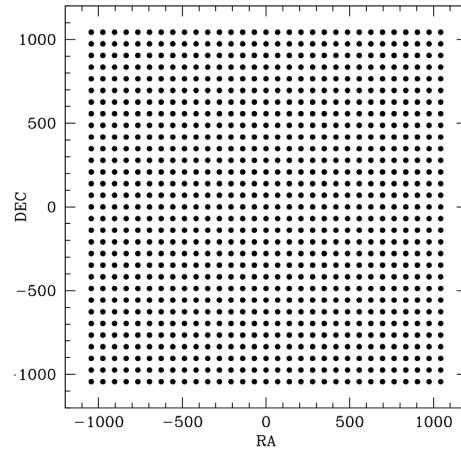
$$dP = n^2[1 + w(\theta)]d\Omega_1 d\Omega_2$$



Random



Highly clustered



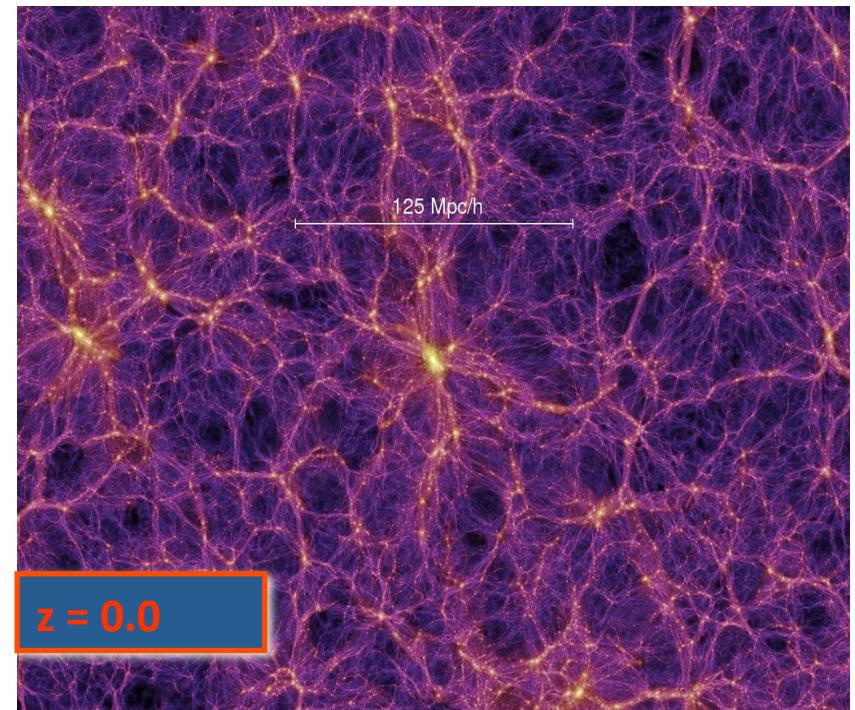
Grid

Galaxy (or AGN) bias b

$$b^2(r, z, M) = \xi_g(r, z, M)/\xi_m(r, z)$$

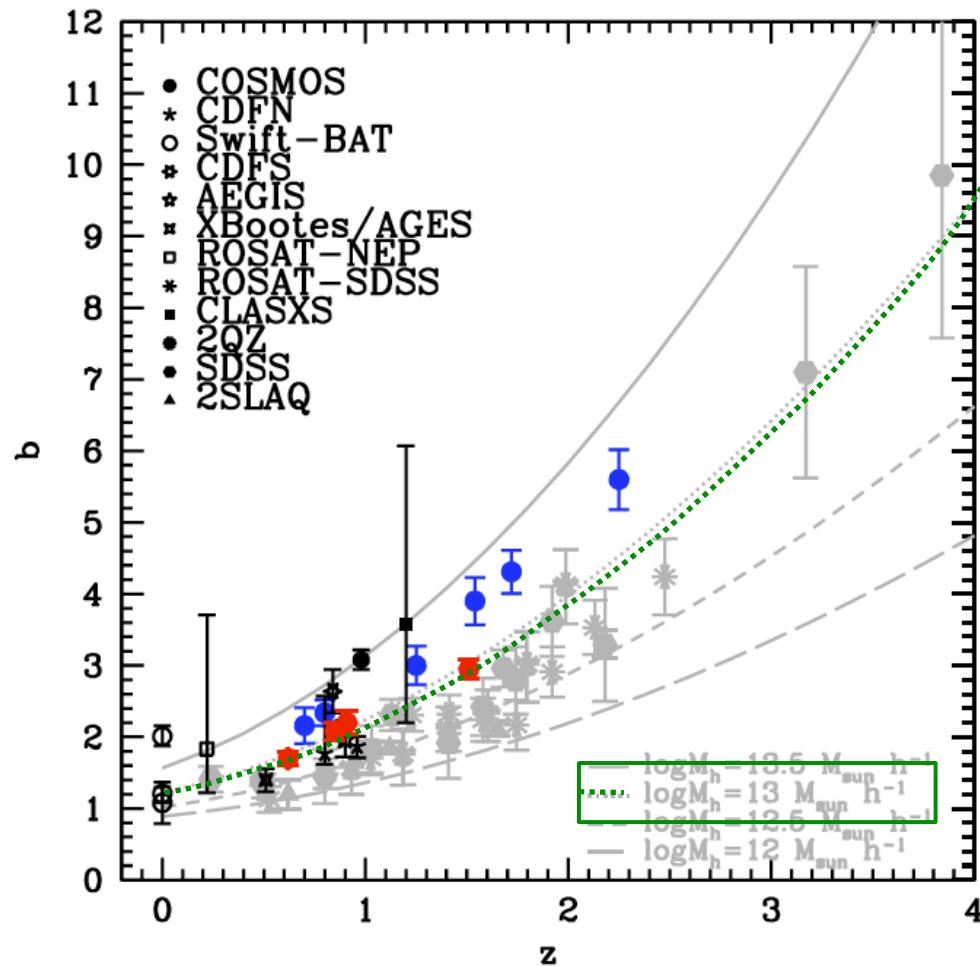
ξ_g = galaxy (or AGN) corr. function

ξ_m = dark matter corr. function



Early accreting SMBHs are:

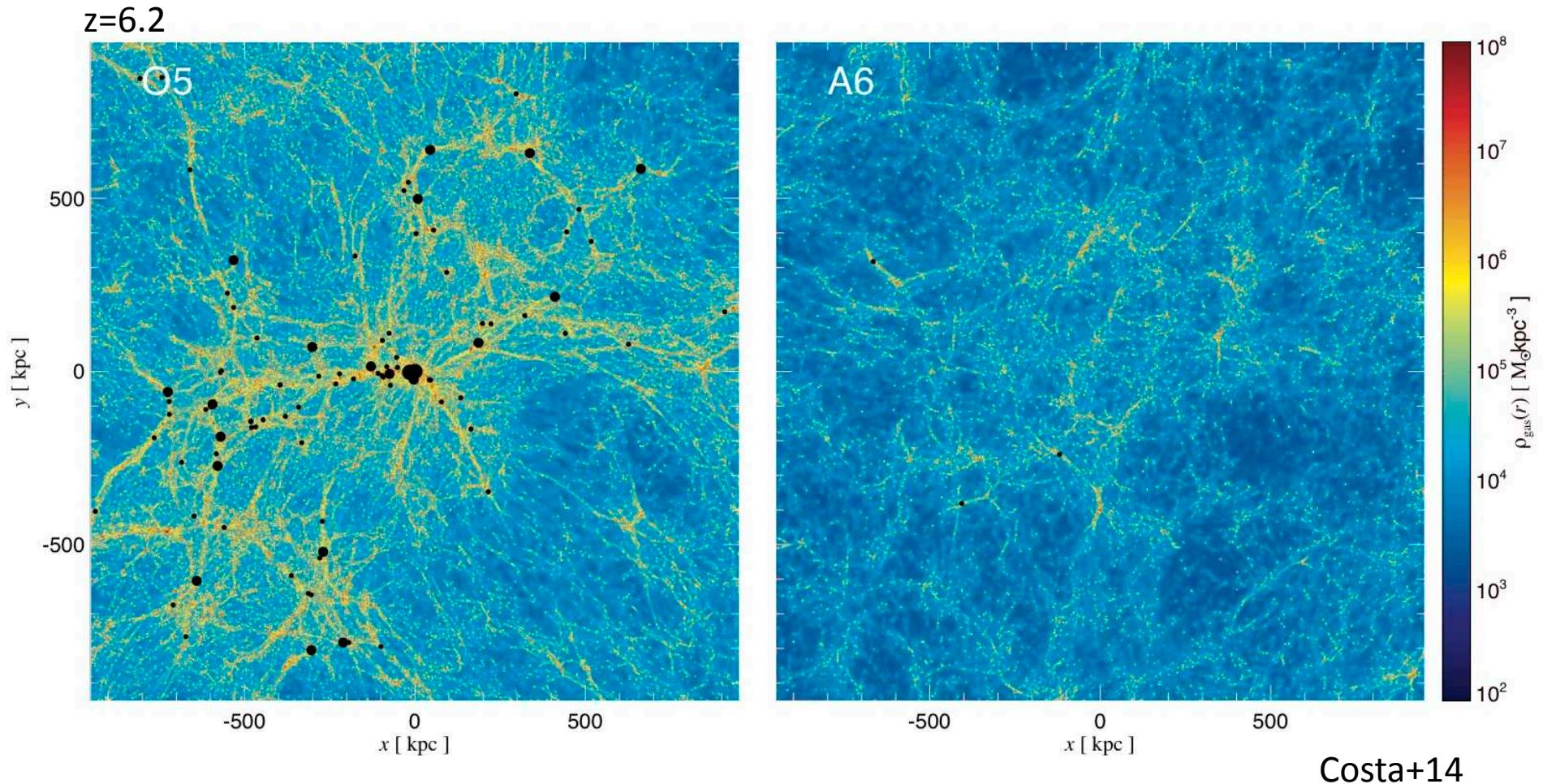
- 1) **rare.** 1 per Gpc^3 , like $10^{13} \text{ M}_{\text{sun}}$ halos (for duty cycle=1)
- 2) **big.** $M_{\text{BH}} = 10^9 \text{ M}_{\text{sun}} \rightarrow M_* = 10^{11-12} \text{ M}_{\text{sun}} \rightarrow M_{\text{halo}} = 10^{12-13} \text{ M}_{\text{sun}}$
- 3) **likely highly biased** $\rightarrow M_{\text{halo}} \sim 10^{13} \text{ M}_{\text{sun}}$ extrapolating from clustering at lower z



They likely reside in the most massive halos \rightarrow search for galaxy overdensities

Adapted from Cappelluti+12

Simulations of early BH formation



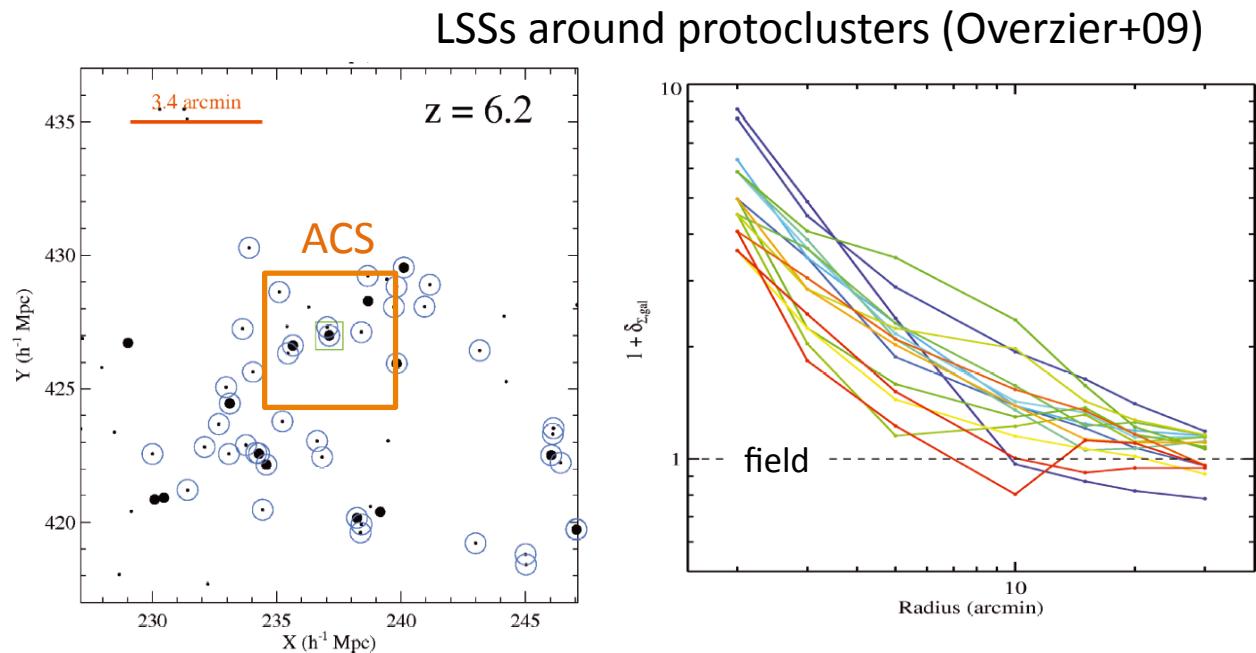
According to (most) simulations, early SMBHs can only form in overdense environments

Search for galaxy overdensities around high-z QSOs

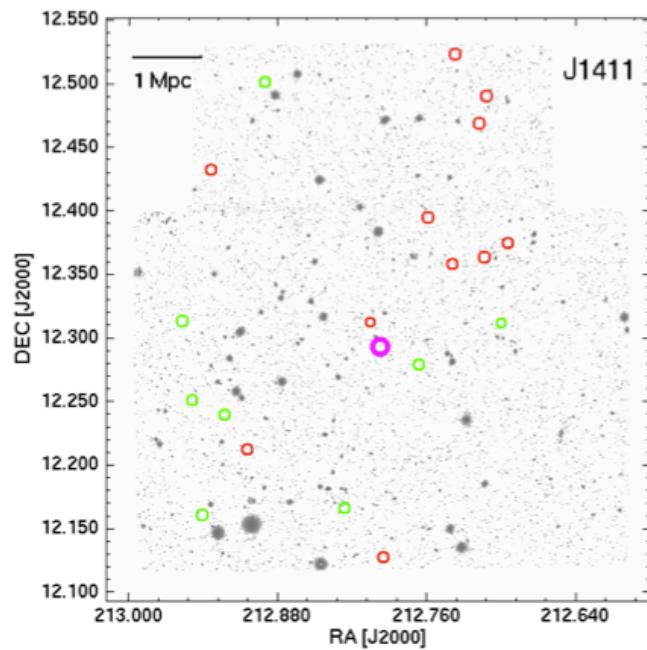
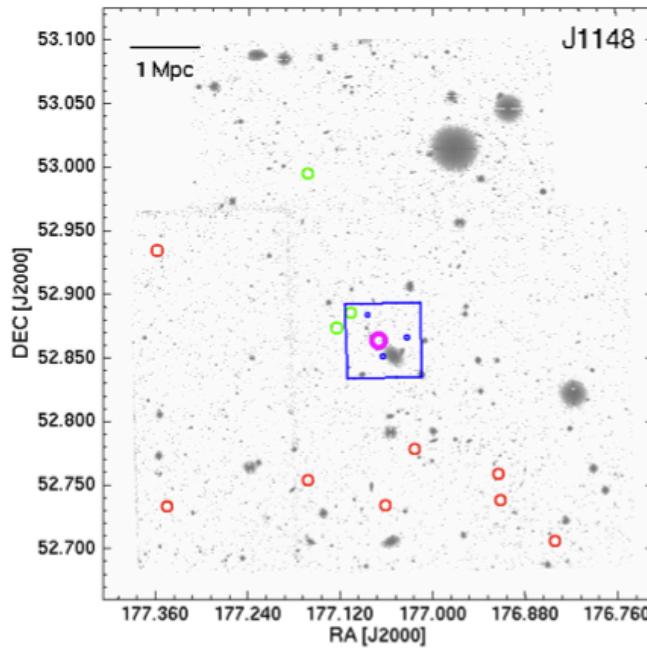
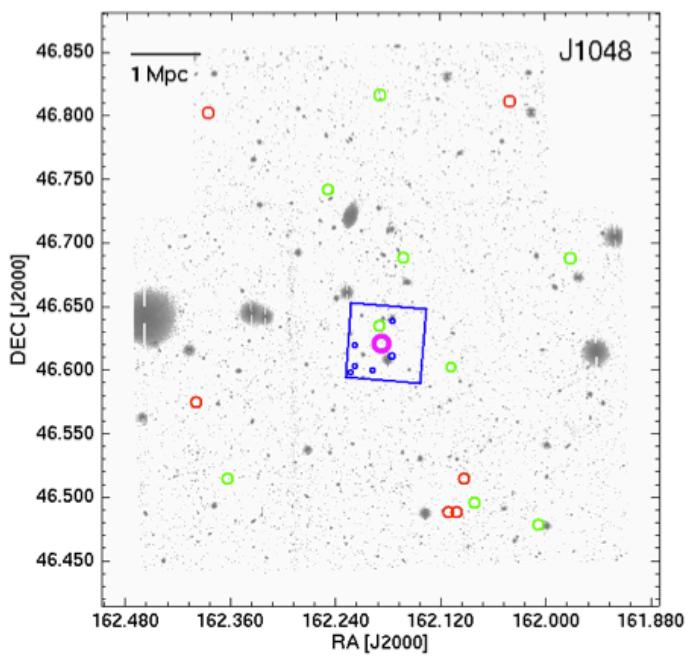
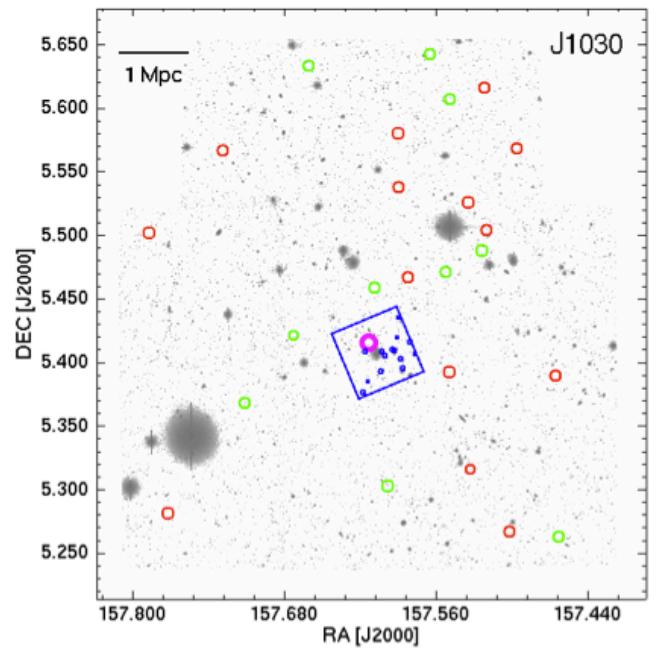
Search based on small FoV instruments inconclusive (Stiavelli+05, Kim+09, Husband+13, Banados+13, Simpson+14) e.g. ACS/HST = $3 \times 3 \text{ arcmin}^2 = 1 \times 1 \text{ Mpc}^2$ at $z=6$.

Overdensities might extend up to 30arcmin, i.e 10 phys. Mpc (Overzier+09).

Feedback may limit galaxy formation in the QSO vicinity (e.g. Stroemgren radius $\sim 2\text{-}4$ Mpc)



use LBC@LBT: FoV $\sim 25'\times 25'$



Primary cand.

Secondary cand.

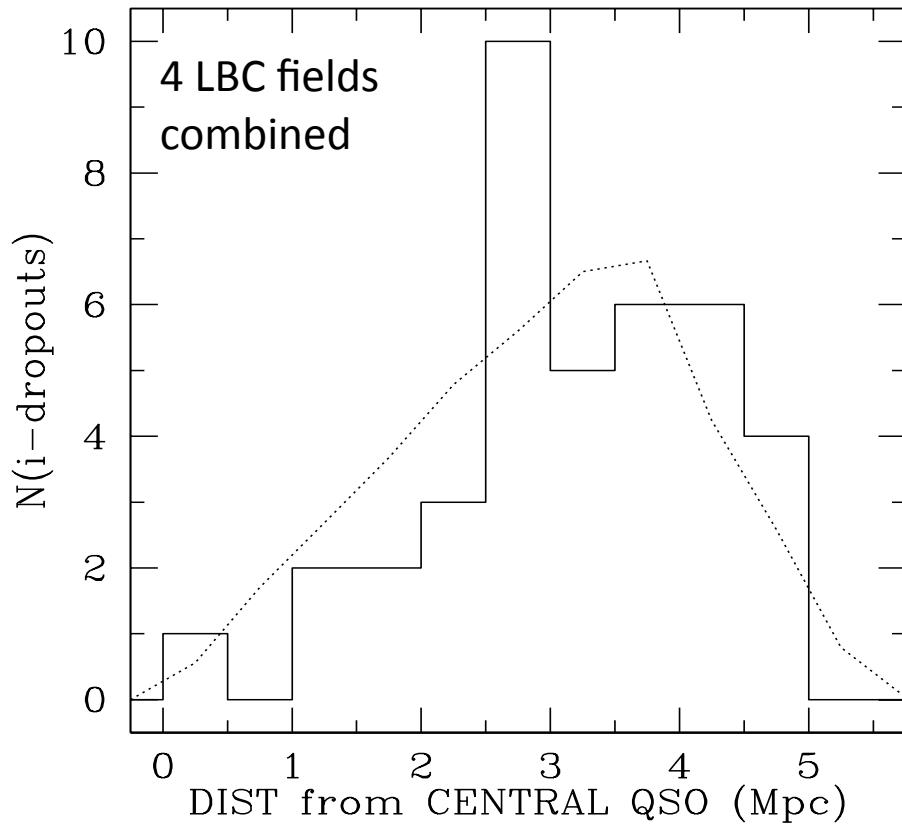
HST/ACS

QSO

Significant
overdensities

Asymmetric
distribution
in most fields
in agreement
with simulations

Reduced galaxy formation close to QSOs?



2.4 σ evidence for dropout deficit
at $d < 2.5$ Mpc
Feedback? (need more statistics)

